

Lecture 13: Beyond classification – visualization to object detection

Machine Learning and Imaging

BME 548L

Roarke Horstmeyer

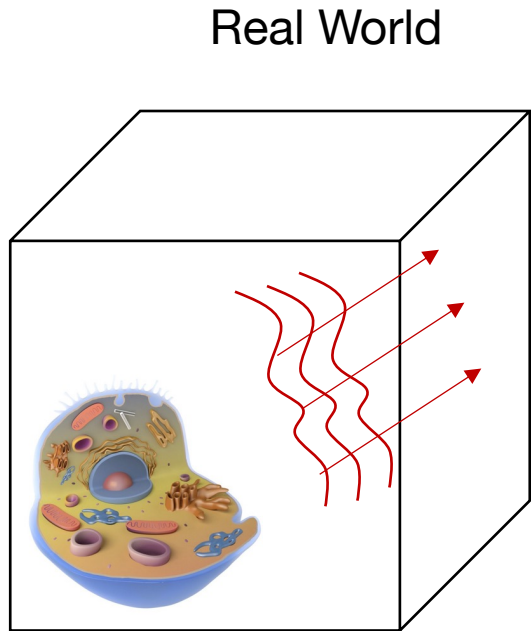
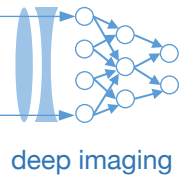
Class project details

- Due this Friday at **11pm**
- Full details are here: <https://deepimaging.github.io/proj-info/>
- Can work alone or in a group (up to 4 people), required effort will scale with # of people
- Select a “base” dataset (online, or from a list I’ll make)
- Simulate parameters of a physical (imaging) system with base dataset
- Train deep neural net with simulated dataset
- Report results

What you’ll need to submit:

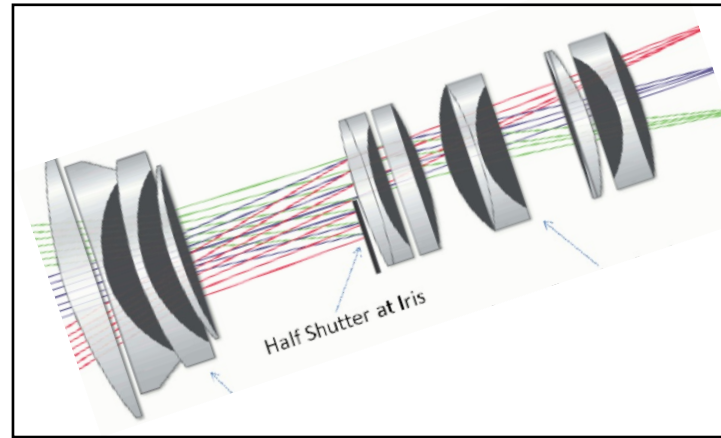
- 1) The project’s source code
- 2) A short research-style paper (3 pages minimum, 5 pages maximum) that includes an introduction, results, a discussion section, references and at least 2 figures
- 3) A completed web template containing the main results from the research paper
- 4) A 7-10 minute presentation that each student will deliver to the class

ML+Imaging pipeline + plan



Continuous complex fields

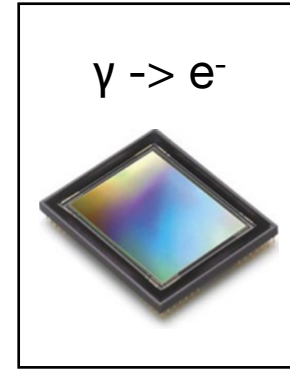
Measurement device



Black box transformations

- Convolution
- Fourier Transform

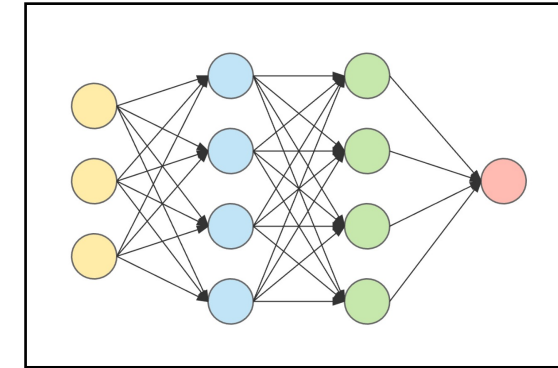
Digitization



Sampling Theorem

Discrete math & Linear algebra

Machine Learning



Optimization

Linear classification

Logistic classifier

Neural networks

Convolutional NN's

After break

This week

End of Class

How to examine and present your results: a few options at different stages

Options to examine your test data after processing:

- ROC curve, Precision-Recall
- Confusion matrix
- Sliding window visualization
- Layer visualizations
- Saliency maps etc.
- tSNE visualization

ROC curve and confusion matrix

- Can set threshold for $f(x,W)$ wherever
- Leads to sliding window between FN and FP rate
- Need to summarize both statistics as a function of sliding window

Actual label
 y

		Estimated label $f(x, W)$	
		+1	-1
Actual label y	+1	True positive	False negative
	-1	False positive	True negative

Predict event when
there isn't one

ROC curve and confusion matrix

TP Rate =

Sensitivity = $TP / (TP + FN) = TP / \text{Actual positives}$

False Positive Rate = $FP / (TN + FP) = FP / \text{Actual negatives}$

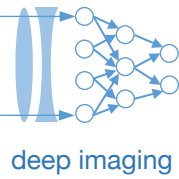
Specificity = $TN / (TN + FP) = TN / \text{Actual negatives}$
= 1 – False Positive Rate

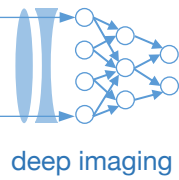
Actual label
 y

		Estimated label $f(x, W)$	
		+1	-1
Actual label y	+1	True positive	False negative
	-1	False positive	True negative

Predict event when
there isn't one

Missed an event





ROC curve and confusion matrix

TP Rate =

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Specificity = $TN / (TN + FP) = TN / \text{Actual negatives}$
= 1 - False Positive Rate

Estimated label
 $f(x, W)$

+1

-1

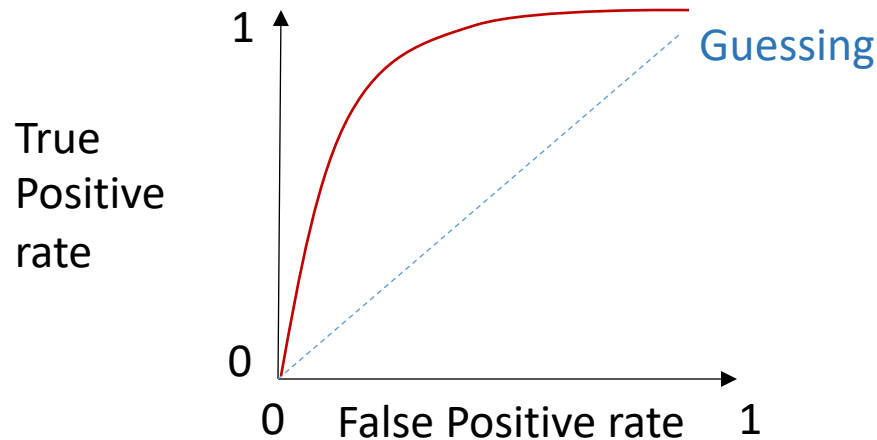
Missed an event

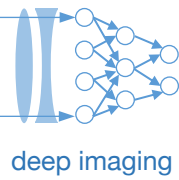
Actual label
 y

	+1	-1
+1	True positive	False negative
-1	False positive	True negative

Predict event when
there isn't one

Receiver-Operator Curve





ROC curve and confusion matrix

TP Rate =

Sensitivity = $TP / (TP + FN) = TP / \text{Actual positives}$

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Specificity = $TN / (TN + FP) = TN / \text{Actual negatives}$
= 1 - False Positive Rate

Actual label
 y

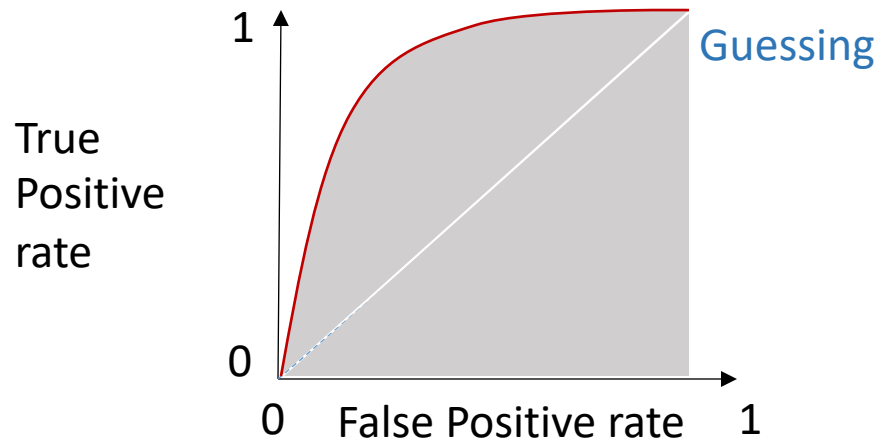
Estimated label
 $f(x, W)$
+1 -1

Missed an event

	+1	-1
+1	True positive	False negative
-1	False positive	True negative

Predict event when
there isn't one

Receiver-Operator Curve



Area under the curve (AUC): Integral of ROC curve

ROC curve and confusion matrix

Recall =
Sensitivity = $TP / (TP + FN) = TP / \text{Actual positives}$

→ Actual label y

		Estimated label $f(x, W)$	
		+1	-1
Actual label y	+1	True positive	False negative
	-1	False positive	True negative

Predict event when
there isn't one ↑

Precision = $TP / (TP + FP) = TP / \text{Estimated positives}$

- Sometimes, you don't care about true negatives (just want to find events)
- In this case, use Precision and Recall

ROC curve and confusion matrix

Recall =
Sensitivity = $TP / (TP + FN) = TP / \text{Actual positives}$

→ Actual label y

		Estimated label $f(x, W)$	
		+1	-1
Actual label y	+1	True positive	False negative
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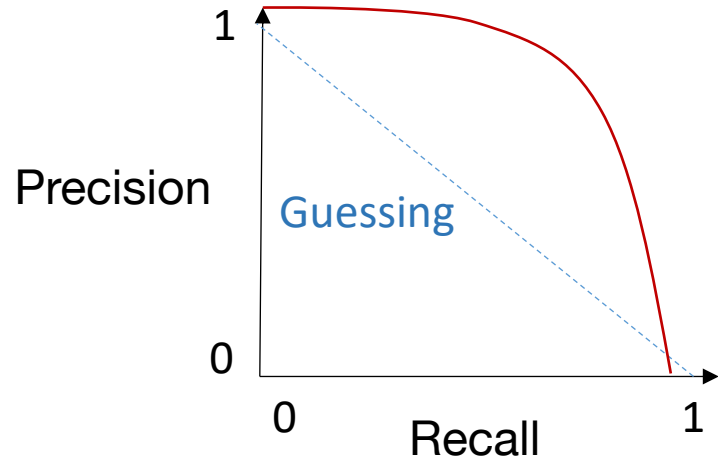
Missed an event

Predict event when there isn't one ↑

Precision = $TP / (TP + FP) = TP / \text{Estimated positives}$

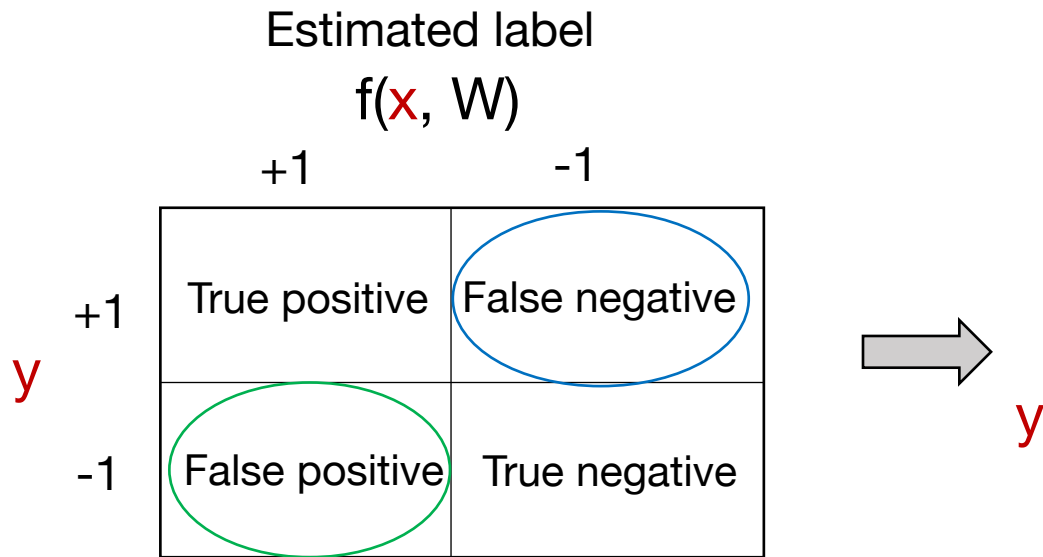
F1 Metric: $(1/\text{precision} + 1/\text{recall})^{-1}$

Precision-Recall curve



ROC curve and confusion matrix

Just 2 categories



Confusion Matrix: 2+ categories

Estimated label $f(x, W)$

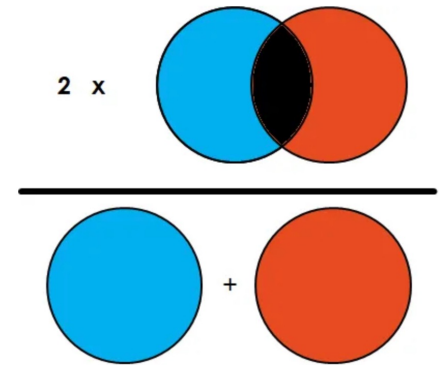
Actual y	State1 (Predicted)	State2 (Predicted)	State3 (Predicted)	State4 (Predicted)	State5 (Predicted)	State6 (Predicted)	State7 (Predicted)	State8 (Predicted)
State1 (Actual)	90.12 %	0.00 %	9.88 %	0.00 %	0.00 %	0.00 %	0.00 %	0.00 %
State2 (Actual)	0.00 %	100.00 %	0.00 %	0.00 %	0.00 %	0.00 %	0.00 %	0.00 %
State3 (Actual)	0.00 %	0.00 %	92.66 %	0.00 %	0.00 %	7.34 %	0.00 %	0.00 %
State4 (Actual)	0.00 %	0.00 %	0.00 %	100.00 %	0.00 %	0.00 %	0.00 %	0.00 %

Other performance metrics

- Overlap between segmented areas: Jaccard similarity coefficient
 - (also called Intersection over Union, IoU)

$$J = |R1 \cap R2| / |R1 \cup R2|$$

- Dice Coefficient (F1 score): $2 \times (\text{total area of overlap}) / \text{total number of pixels in both images}$

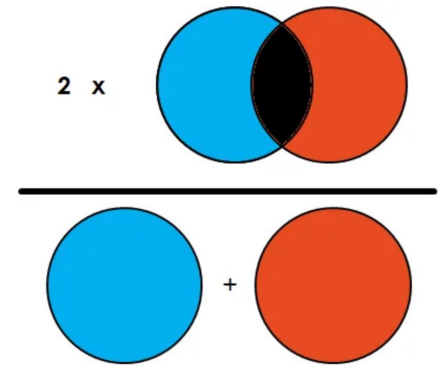


Other performance metrics

- Overlap between segmented areas: Jaccard similarity coefficient
 - (also called Intersection over Union, IoU)

$$J = |R1 \cap R2| / |R1 \cup R2|$$

- Dice Coefficient (F1 score): $2 \times (\text{total area of overlap}) / \text{total number of pixels in both images}$
- MSE, PSNR
- Structural Similarity (SSIM)




$$\text{SSIM}(x, y) = \frac{(2\mu_x \mu_y + c_1)(2\sigma_{xy} + c_2)}{(\mu_x^2 + \mu_y^2 + c_1)(\sigma_x^2 + \sigma_y^2 + c_2)}$$

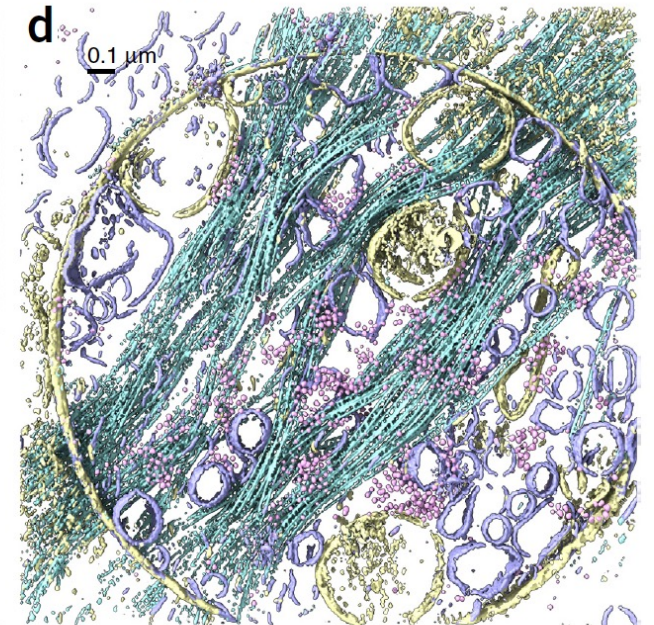
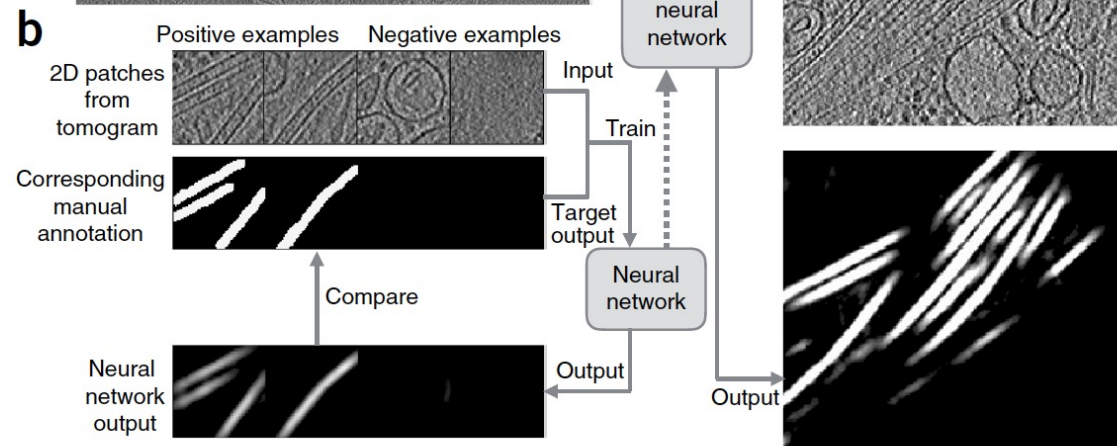
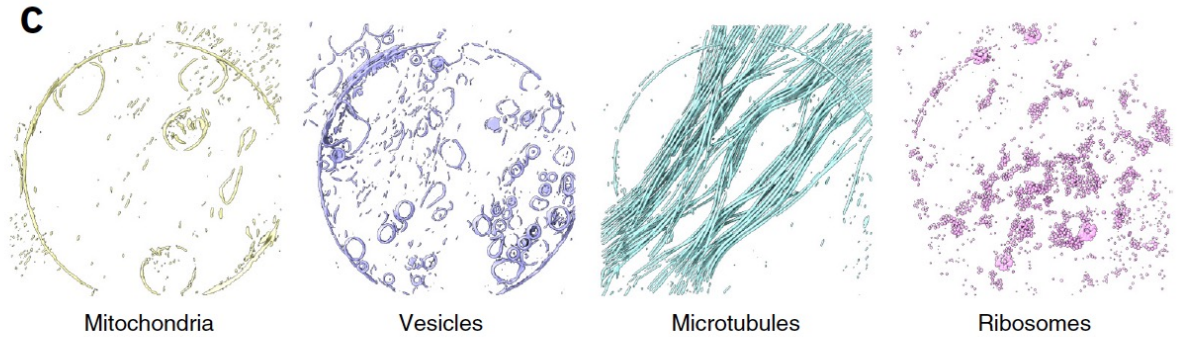
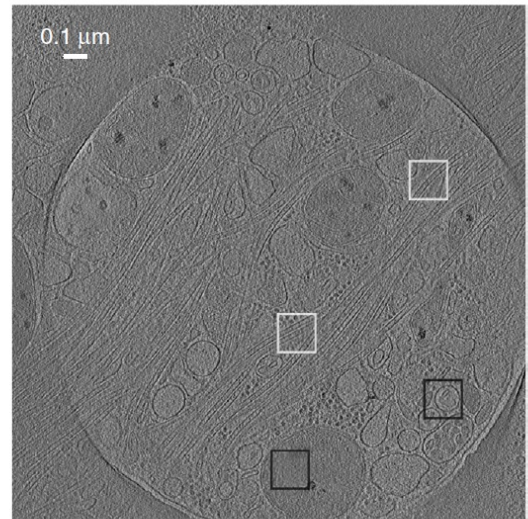
with:

- μ_x the **average** of x ;
- μ_y the **average** of y ;
- σ_x^2 the **variance** of x ;
- σ_y^2 the **variance** of y ;
- σ_{xy} the **covariance** of x and y ;
- $c_1=(k_1 L)^2$, $c_2=(k_2 L)^2$ two variables to stabilize the division with weak denominator;
- L the **dynamic range** of the pixel-values (typically this is $2^{\text{\#bits per pixel}} - 1$);
- $k_1=0.01$ and $k_2=0.03$ by default.

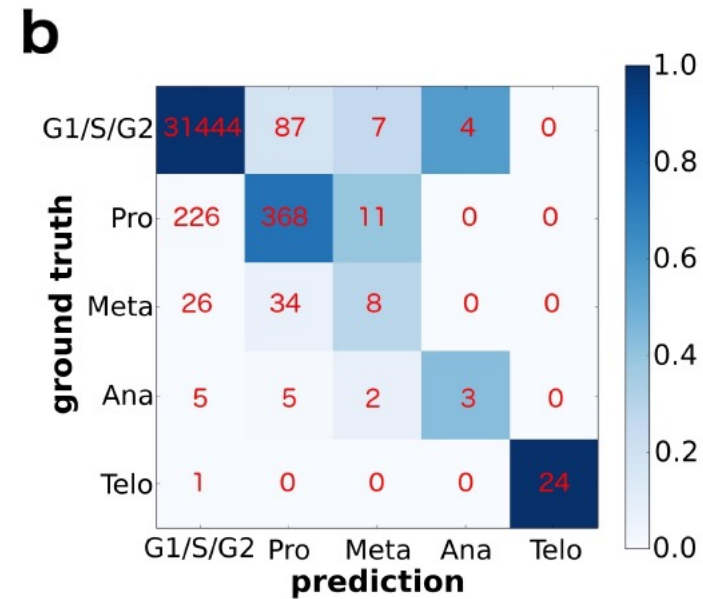
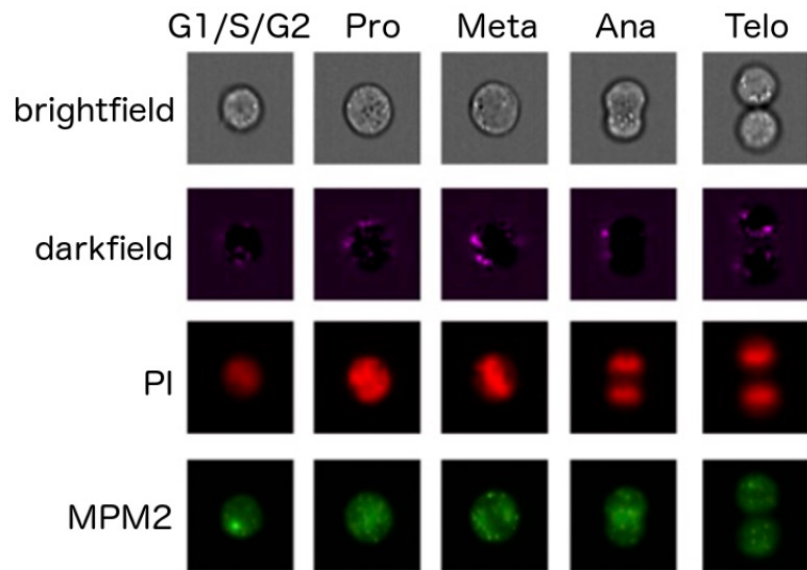
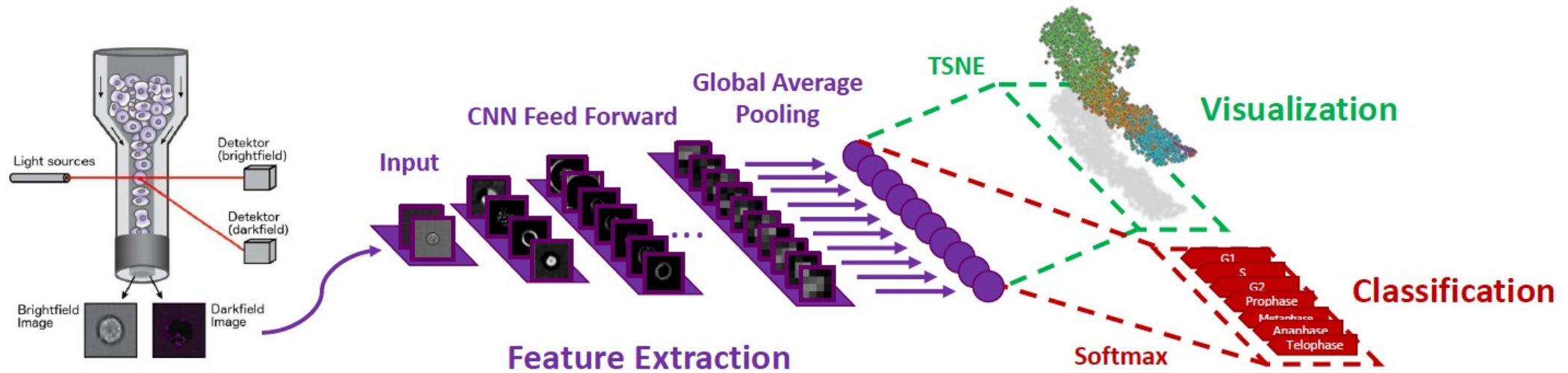
Examples of CNN's for biomedical image analysis

Convolutional neural networks for automated annotation of cellular cryo-electron tomograms

Muyuan Chen^{1,2}, Wei Dai^{2,4}, Stella Y Sun²,
 Darius Jonasch², Cynthia Y He³, Michael F Schmid²,
 Wah Chiu² & Steven J Ludtke² 



P. Eulenberg et al., "Reconstructing cell cycle and disease progression using deep learning"

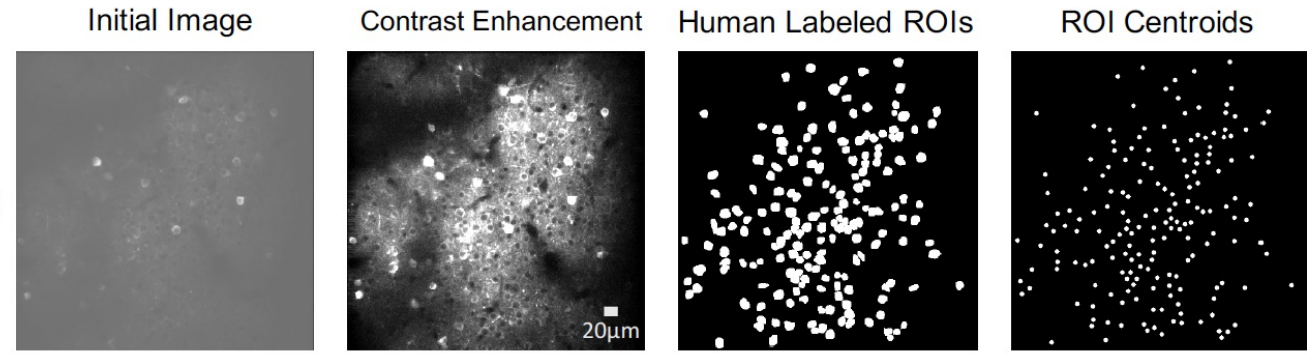


Automatic Neuron Detection in Calcium Imaging Data Using Convolutional Networks

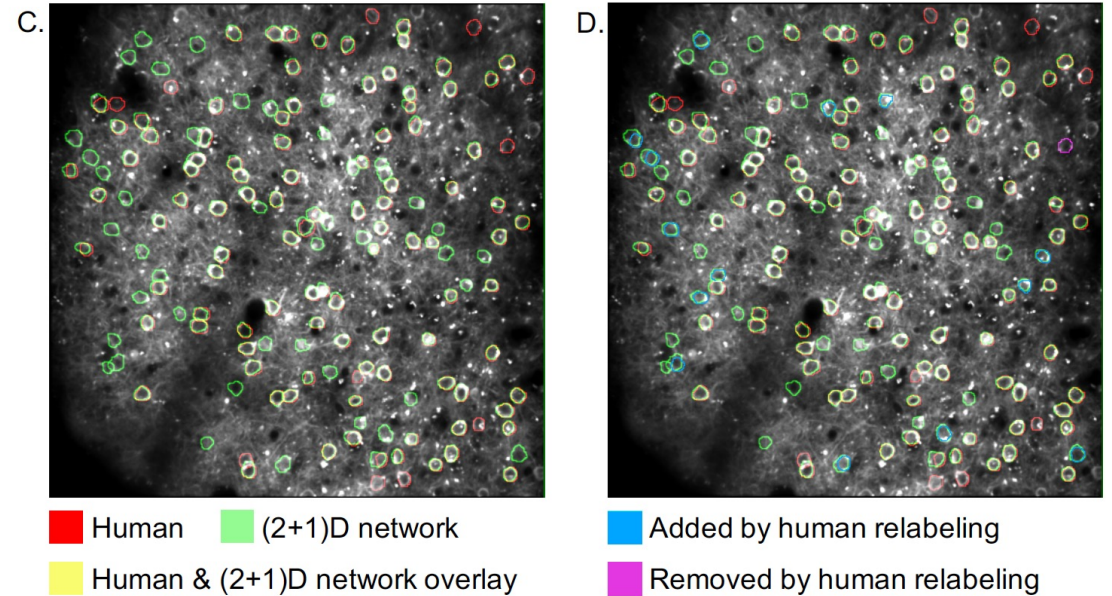
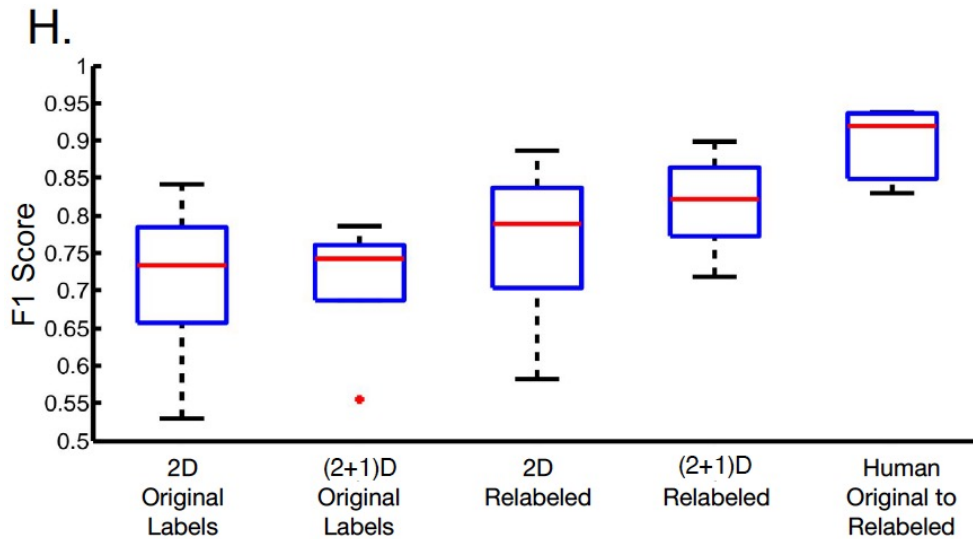
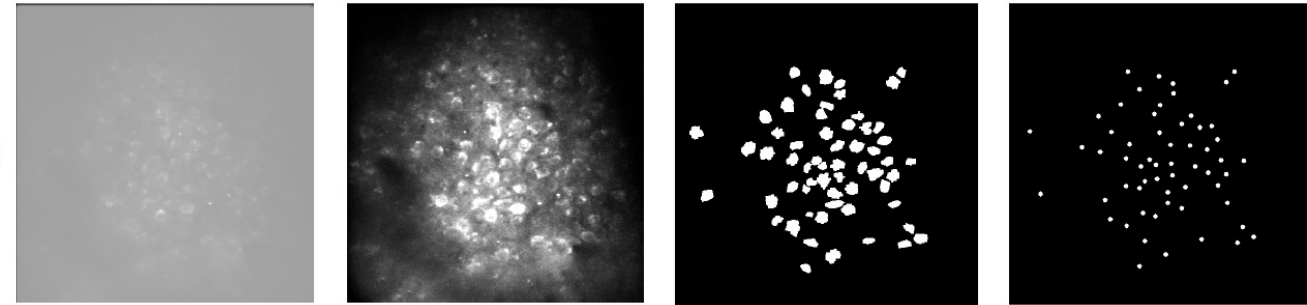
Noah J. Apthorpe^{1*} Alexander J. Riordan^{2*} Rob E. Aguilar¹ Jan Homann²
 Yi Gu² David W. Tank² H. Sebastian Seung^{1,2}

¹Computer Science Department ²Princeton Neuroscience Institute
 Princeton University

V1 Dataset

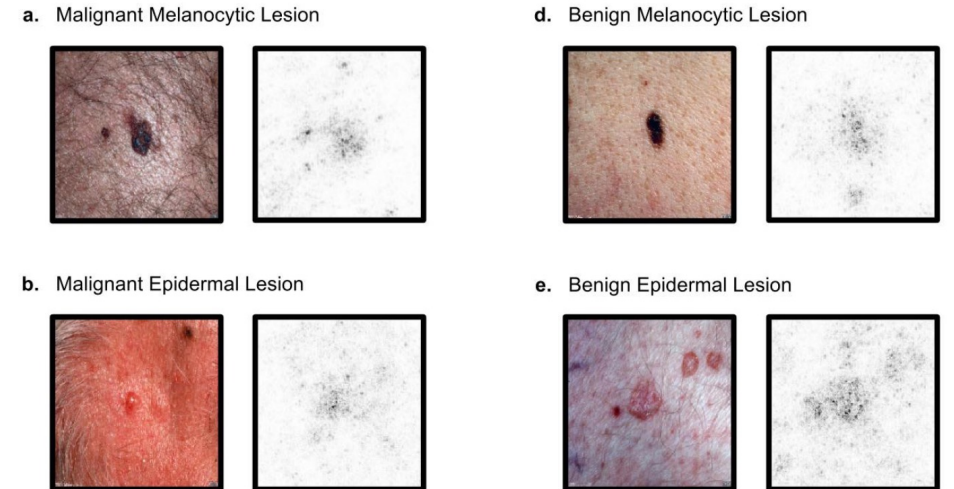
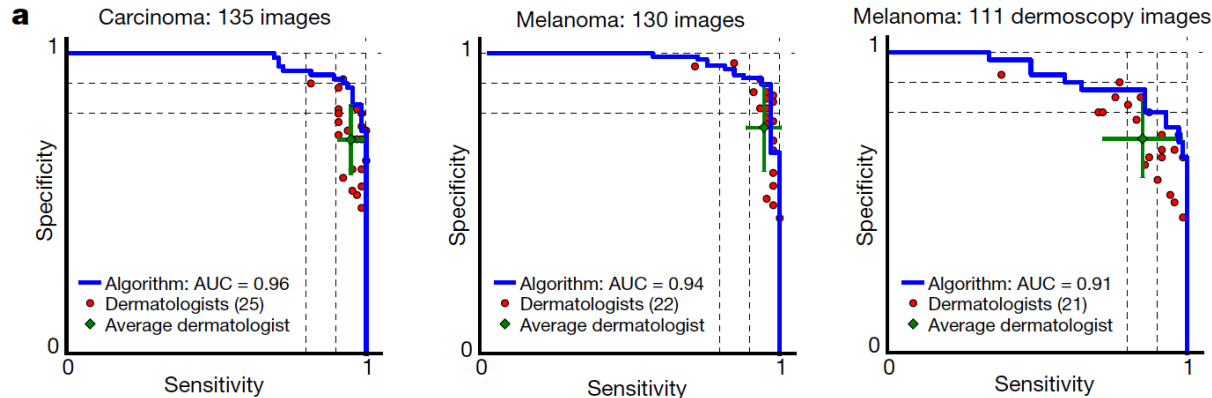
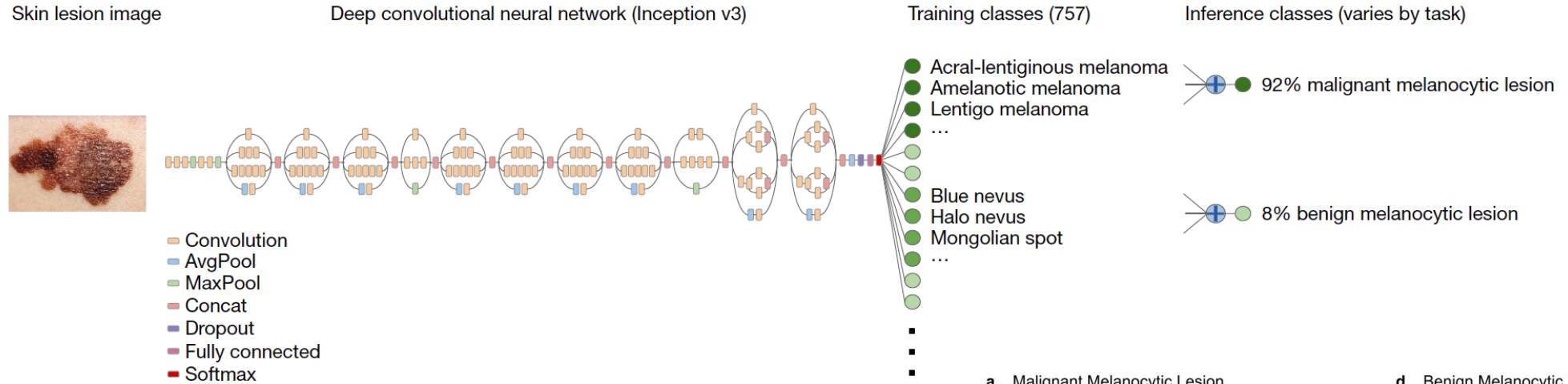


MEC Dataset



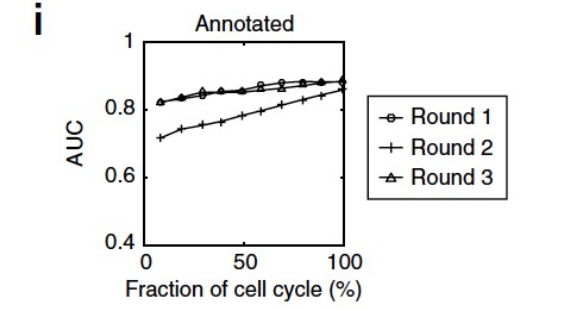
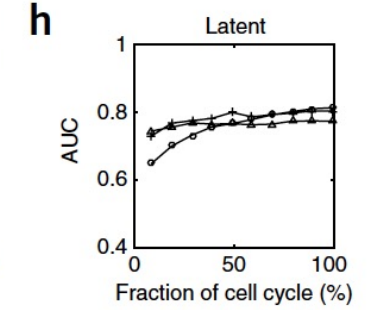
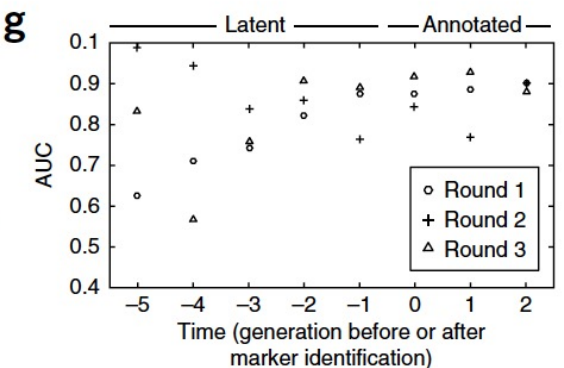
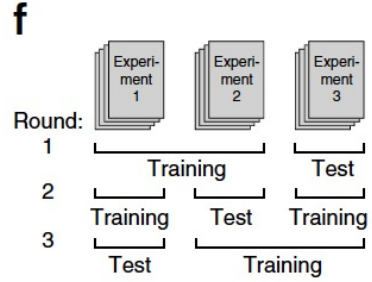
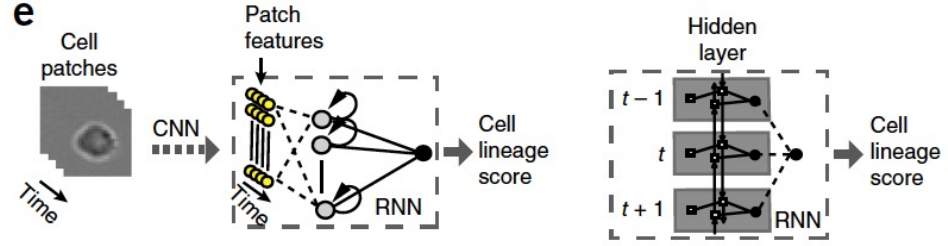
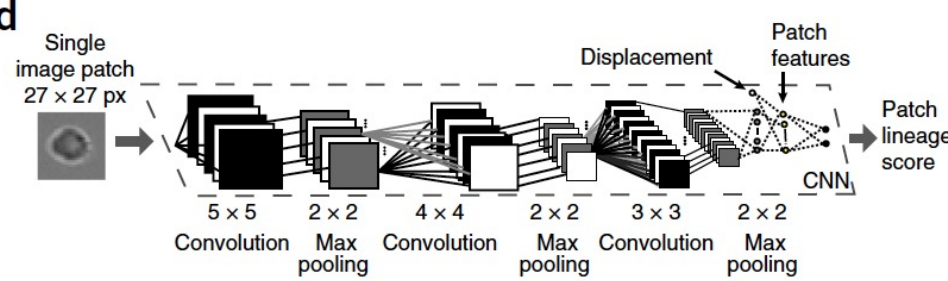
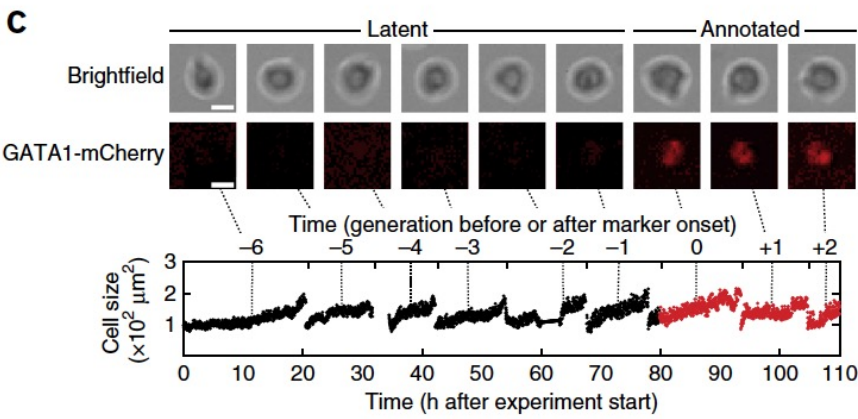
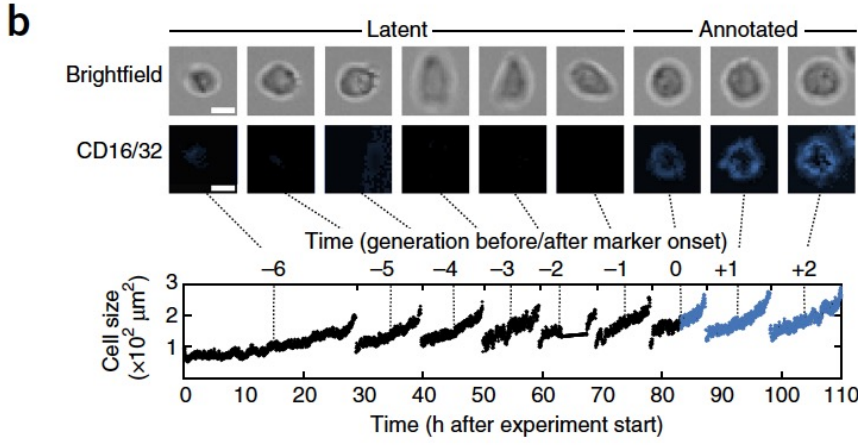
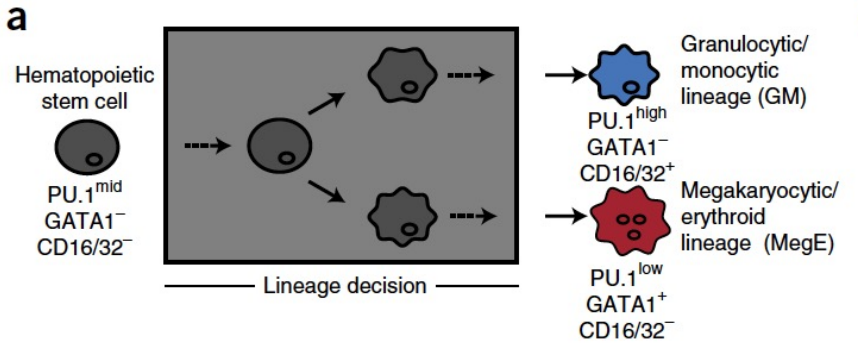
Dermatologist-level classification of skin cancer with deep neural networks

Andre Esteva^{1*}, Brett Kuprel^{1*}, Roberto A. Novoa^{2,3}, Justin Ko², Susan M. Swetter^{2,4}, Helen M. Blau⁵ & Sebastian Thrun⁶



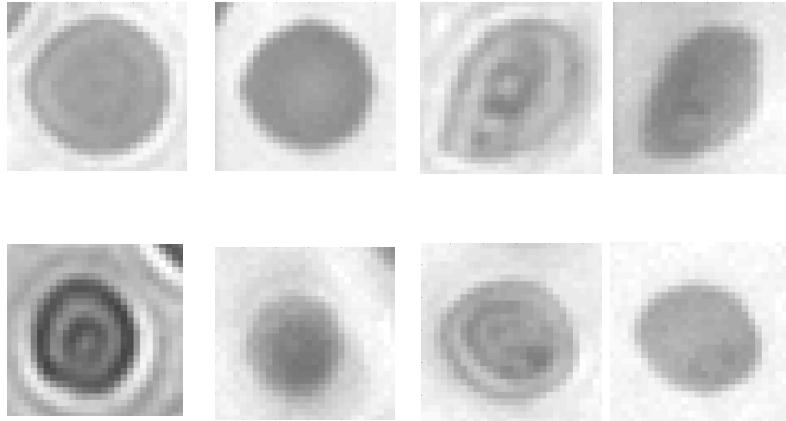
Prospective identification of hematopoietic lineage choice by deep learning

Felix Buggenthin^{1,6}, Florian Buettner^{1,2,6}, Philipp S Hoppe^{3,4}, Max Endeke³, Manuel Kroiss^{1,5}, Michael Strasser¹, Michael Schwarzfischer¹, Dirk Loeffler^{3,4}, Konstantinos D Kokkaliaris^{3,4}, Oliver Hilsenbeck^{3,4}, Timm Schroeder^{3,4}, Fabian J Theis^{1,5} & Carsten Marr¹



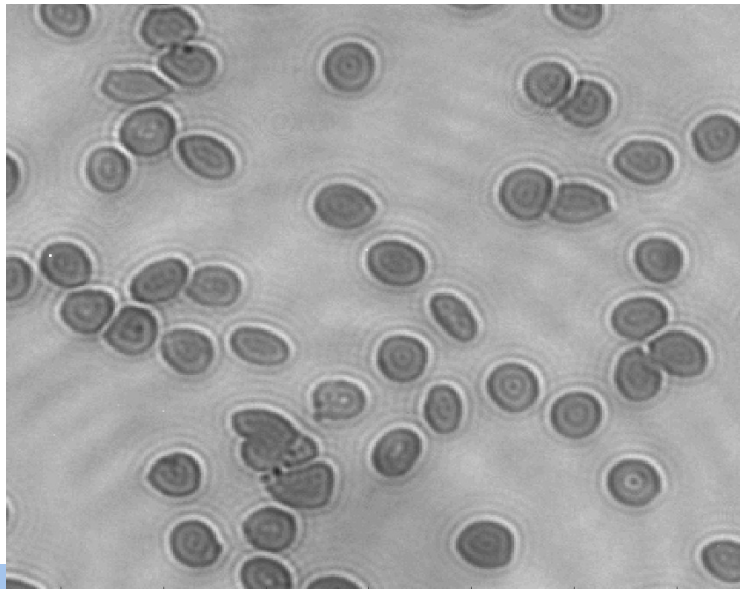
Beyond statistics, how can we visualize performance for classification?

Training dataset



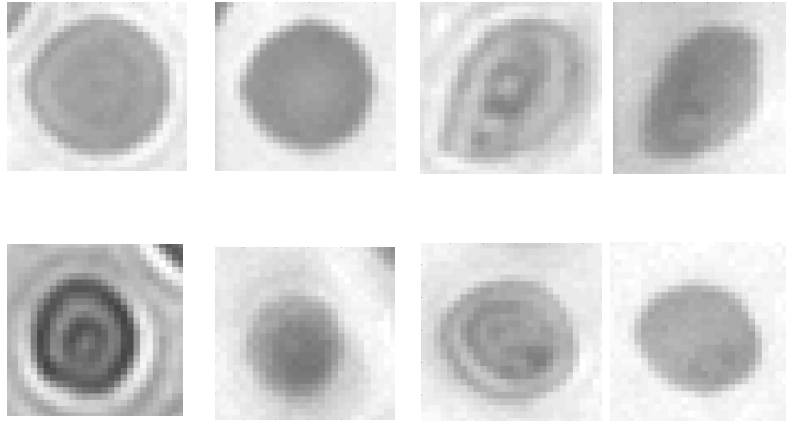
Trained CNN

Real data is big...what to do??

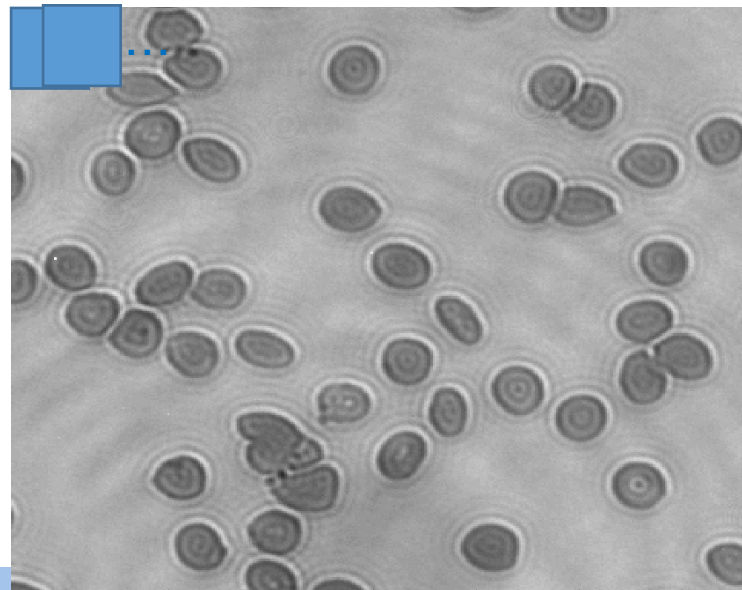


Beyond statistics, how can we visualize performance for classification?

Training dataset

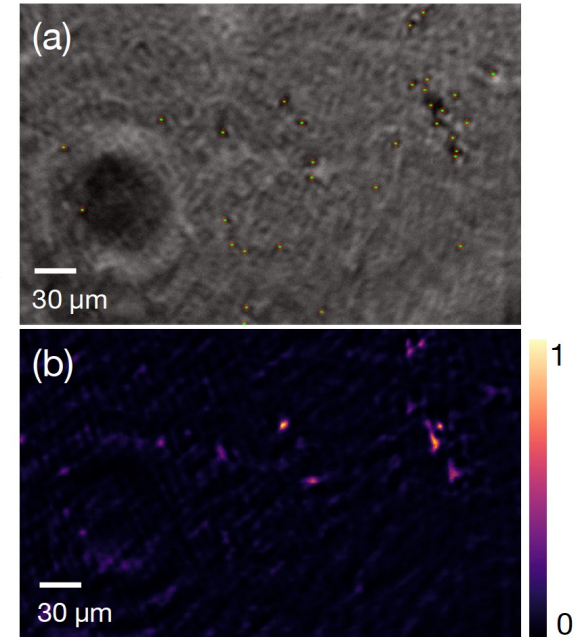
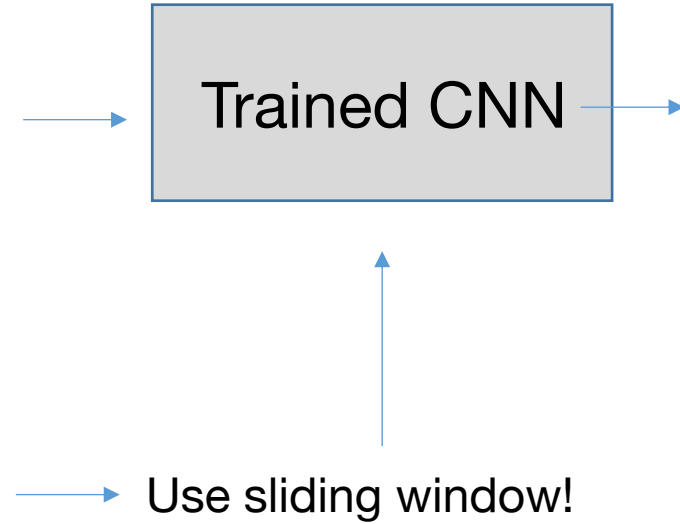
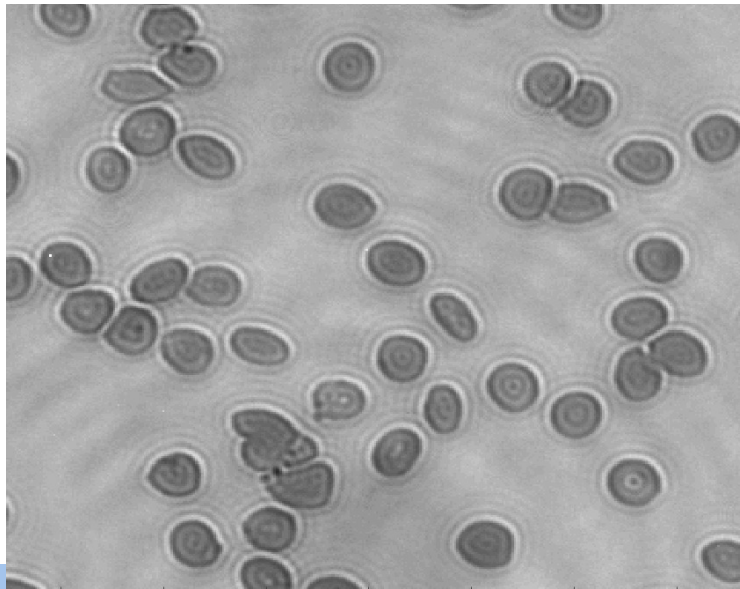
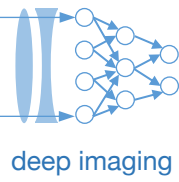


Real data is big...what to do??



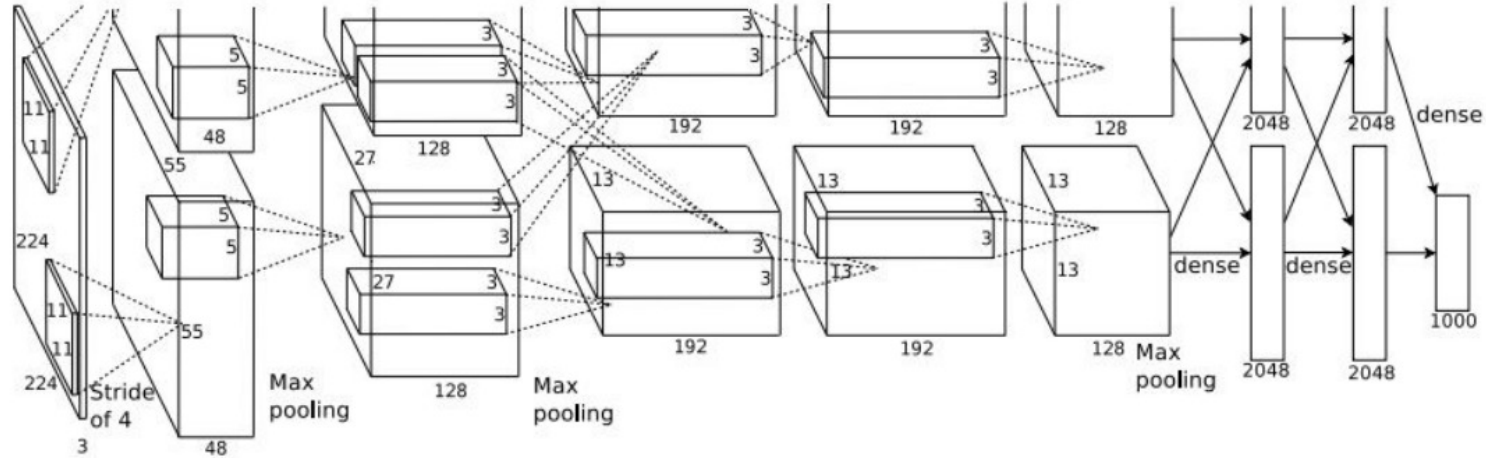
Use sliding window!

Beyond statistics, how can we visualize performance for classification?



How can we visualize what's in the network?

This image is CC0 public domain

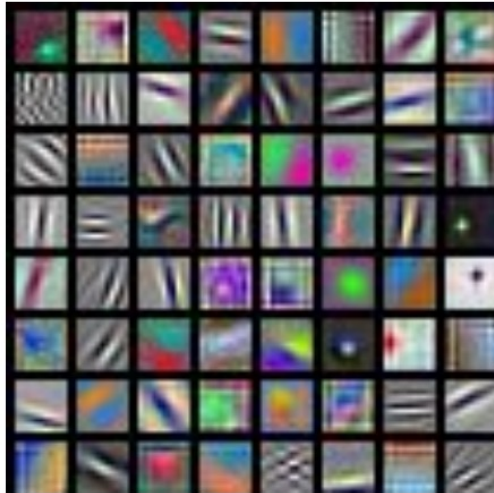


Class Scores:
1000 numbers

Input Image:
3 x 224 x 224

↑ ↑ ↑ ↑ ↑ ↑ ↑
What are the intermediate features looking for?

First Layer: Visualize Filters



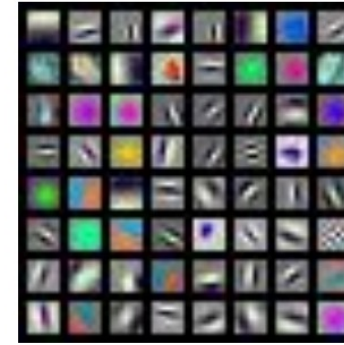
AlexNet:
64 x 3 x 11 x 11



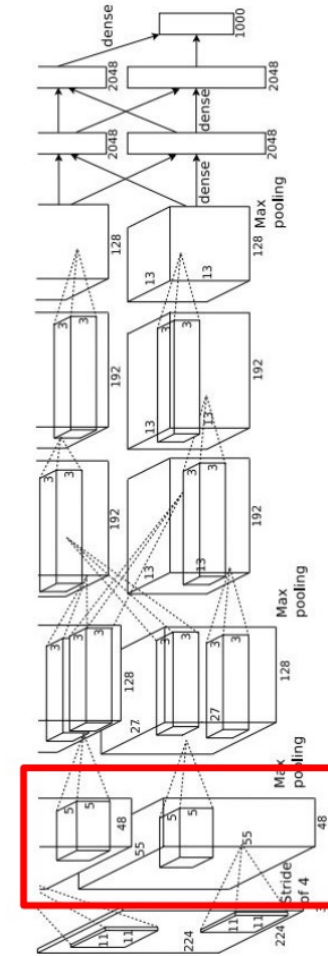
ResNet-18:
64 x 3 x 7 x 7



ResNet-101:
64 x 3 x 7 x 7



DenseNet-121:
64 x 3 x 7 x 7



Krizhevsky, "One weird trick for parallelizing convolutional neural networks", arXiv 2014
 He et al, "Deep Residual Learning for Image Recognition", CVPR 2016
 Huang et al, "Densely Connected Convolutional Networks", CVPR 2017

Visualize the filters/kernels (raw weights)

We can visualize filters at higher layers, but not that interesting

(these are taken from ConvNetJS CIFAR-10 demo)



layer 1 weights

16 x 3 x 7 x 7



layer 2 weights

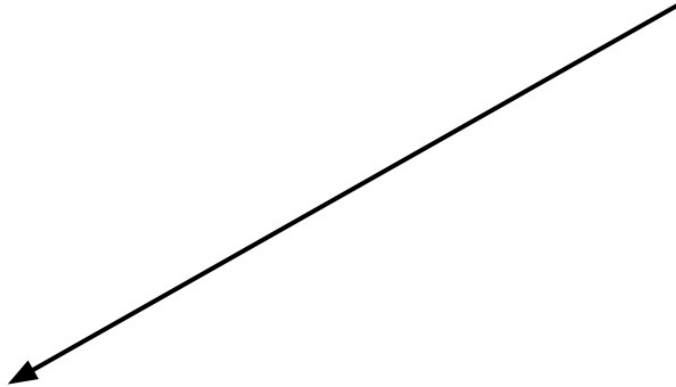
20 x 16 x 7 x 7



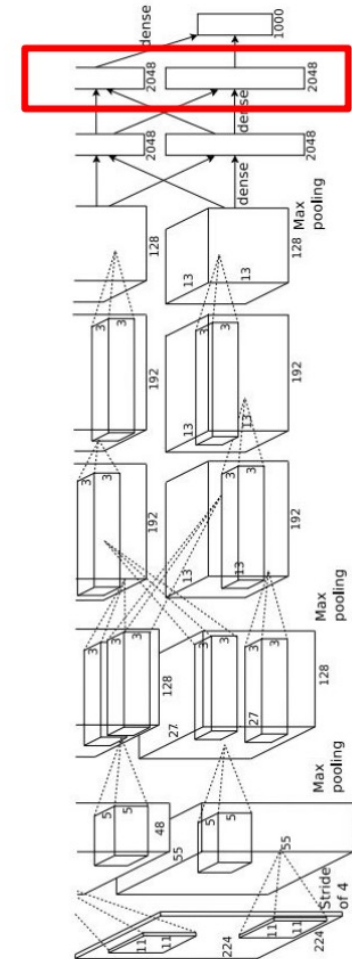
layer 3 weights

20 x 20 x 7 x 7

Last Layer



FC7 layer



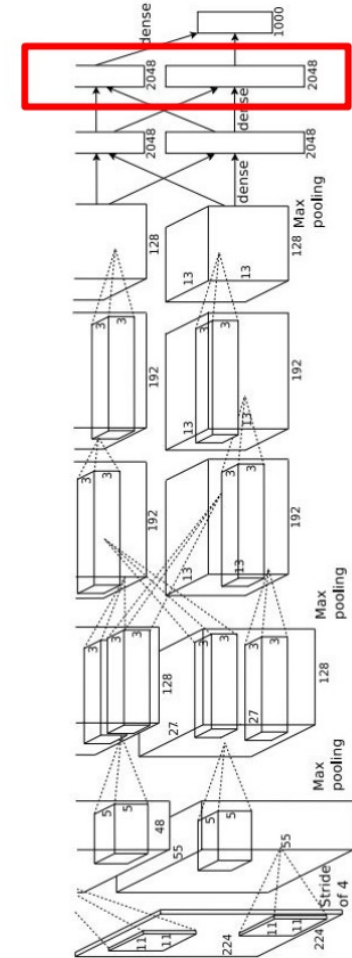
4096-dimensional feature vector for an image
(layer immediately before the classifier)

Run the network on many images, collect the
feature vectors

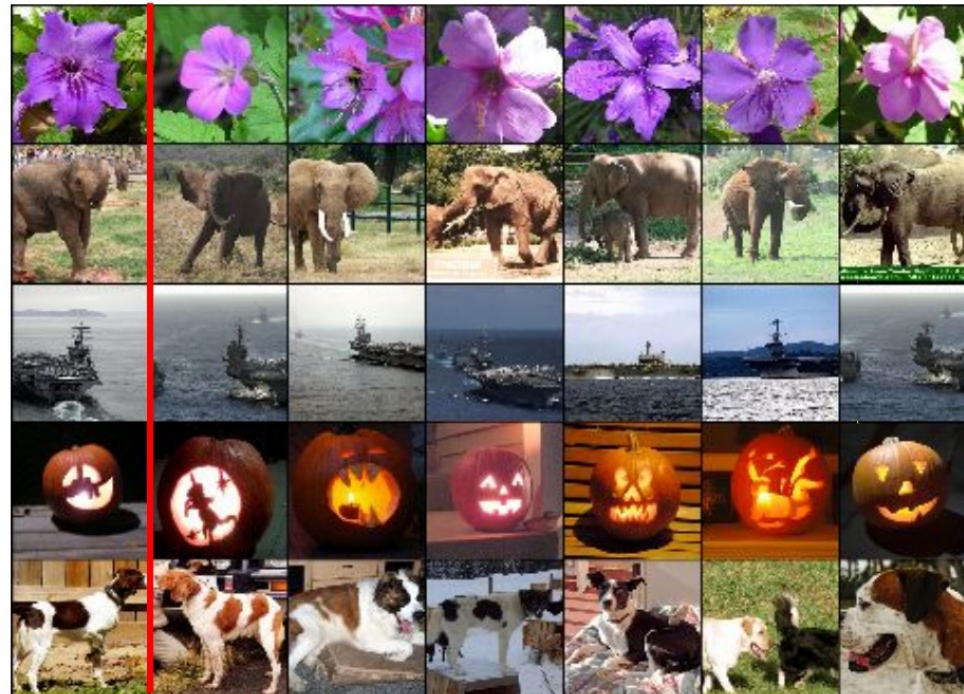
Last Layer

Nearest Neighbors

FC7 layer



Test image L2 Nearest neighbors in feature space



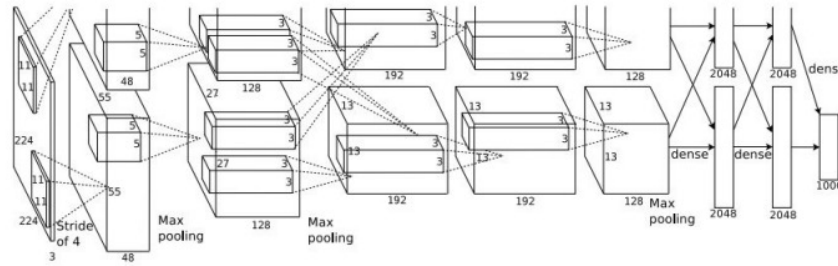
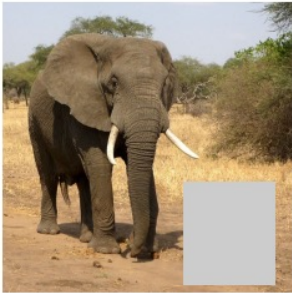
Recall: Nearest neighbors in pixel space



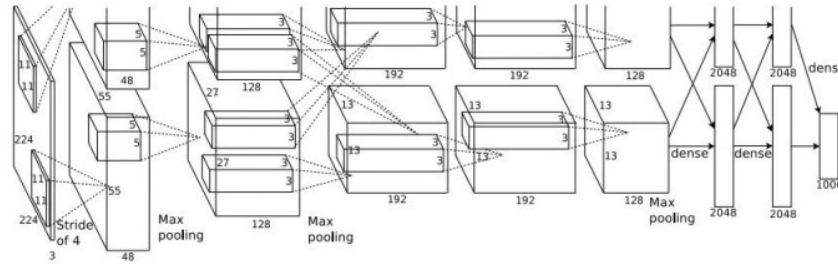
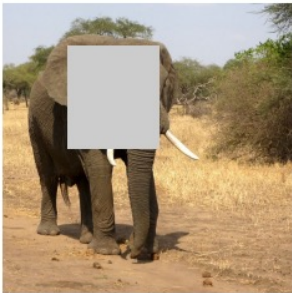
Krizhevsky et al, "ImageNet Classification with Deep Convolutional Neural Networks", NIPS 2012. Figures reproduced with permission.

Which pixels matter: Saliency vs Occlusion

Mask part of the image before feeding to CNN,
check how much predicted probabilities change



$P(\text{elephant}) = 0.95$



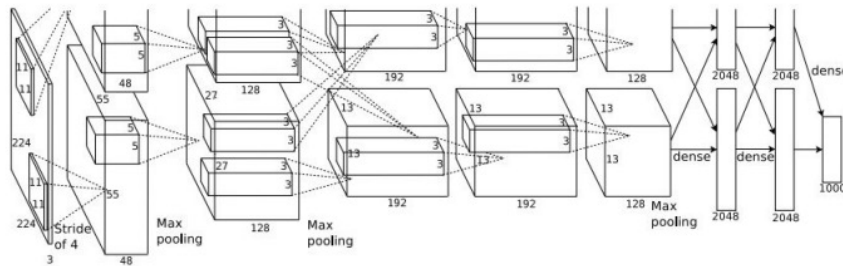
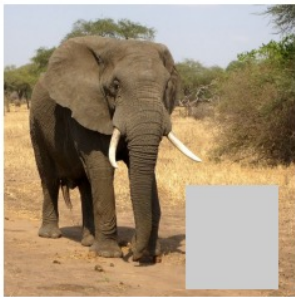
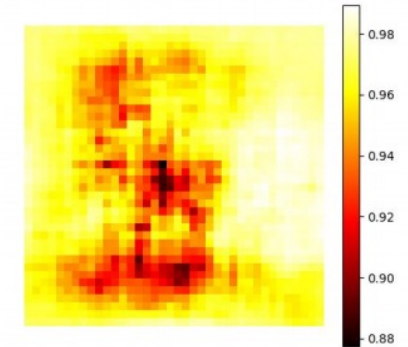
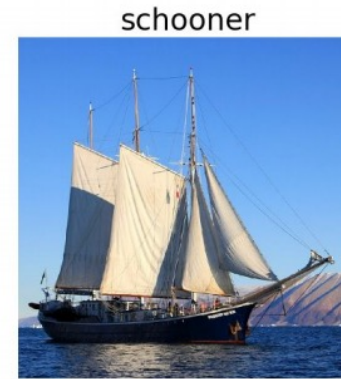
$P(\text{elephant}) = 0.75$

[Boat image](#) is [CC0 public domain](#)
[Elephant image](#) is [CC0 public domain](#)
[Go-Karts image](#) is [CC0 public domain](#)

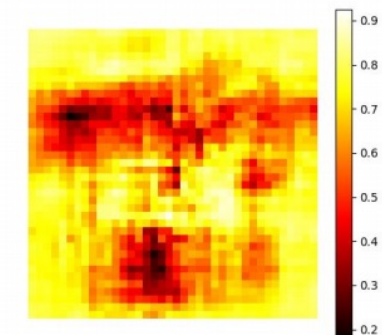
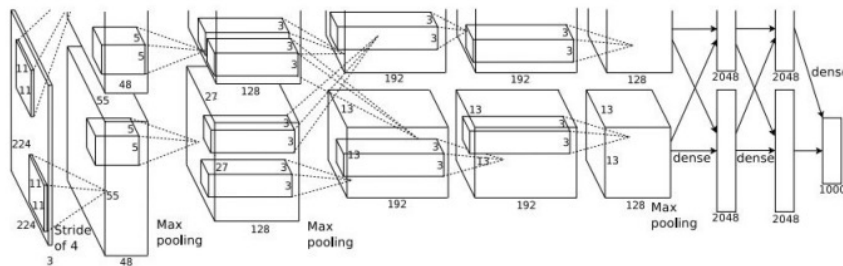
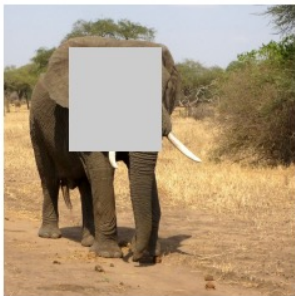
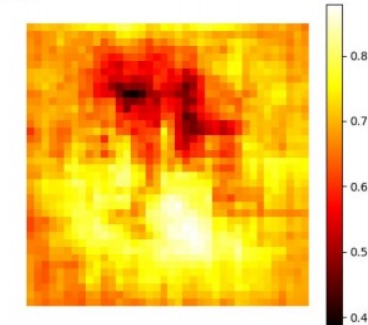
Zeiler and Fergus, "Visualizing and Understanding Convolutional Networks", ECCV 2014

Which pixels matter: Saliency vs Occlusion

Mask part of the image before feeding to CNN,
check how much predicted probabilities change

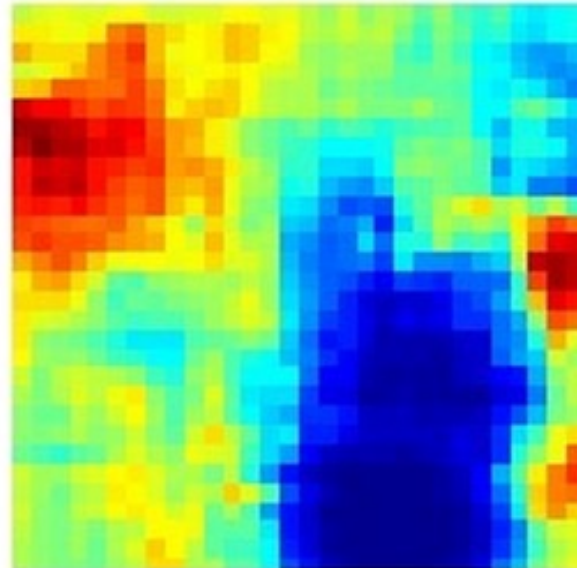
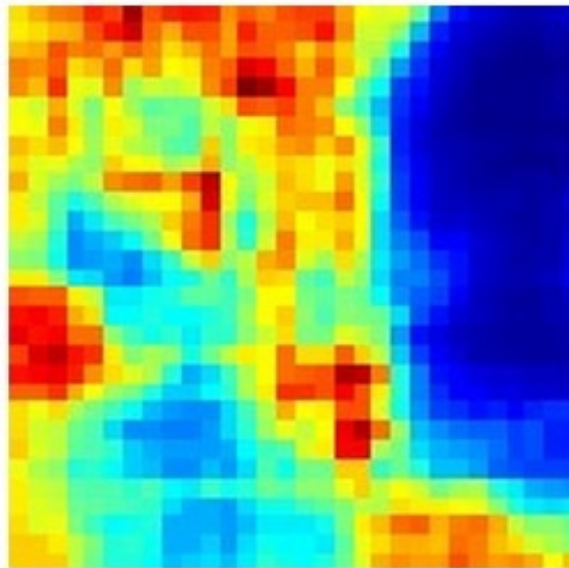
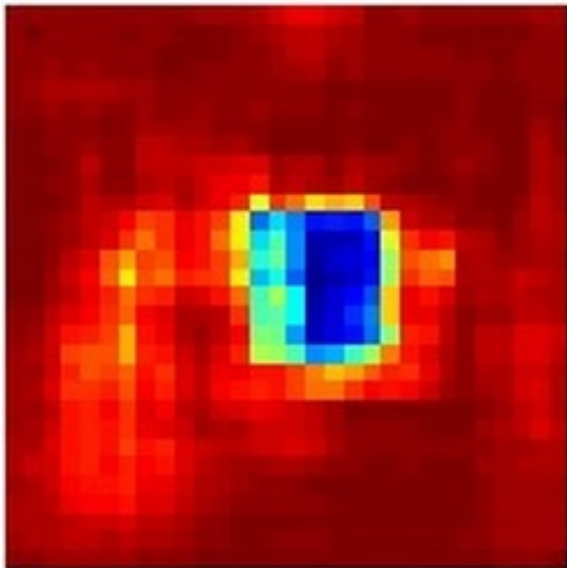


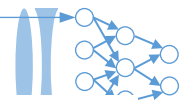
African elephant, *Loxodonta africana*



Zeiler and Fergus, "Visualizing and Understanding Convolutional Networks", ECCV 2014

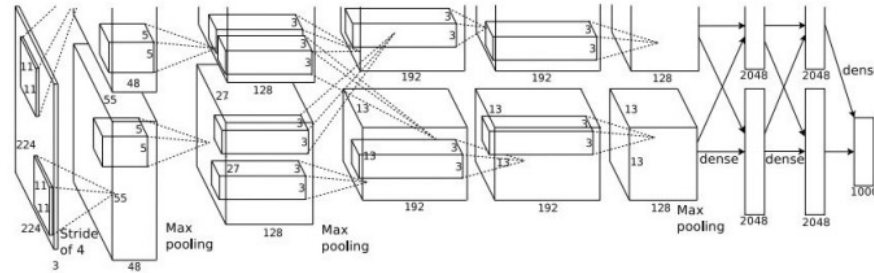
[Boat image](#) is [CC0 public domain](#)
[Elephant image](#) is [CC0 public domain](#)
[Go-Karts image](#) is [CC0 public domain](#)





Which pixels matter: Saliency via Backprop

Forward pass: Compute probabilities



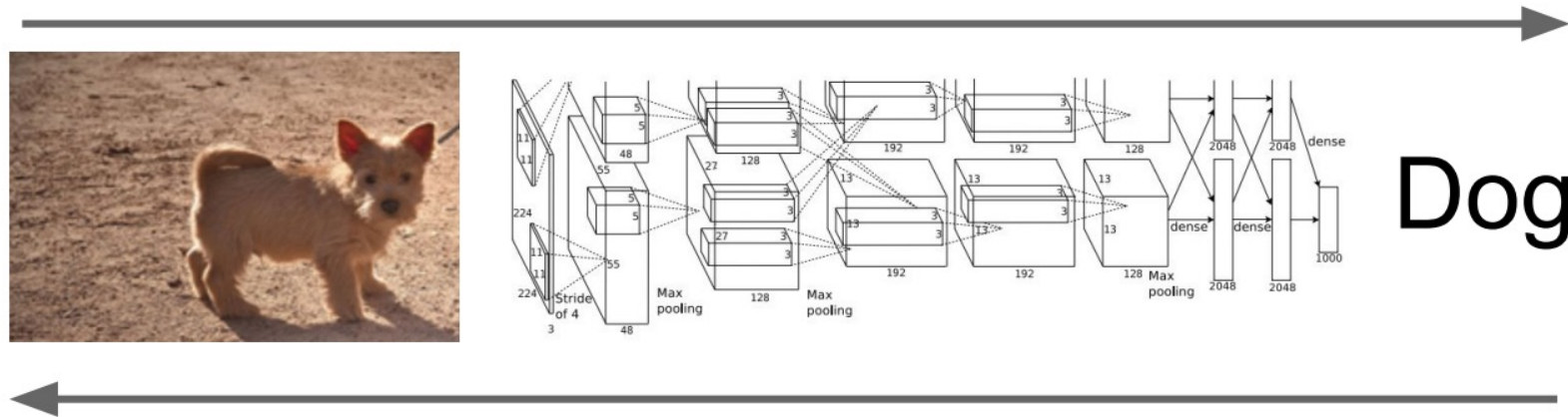
Dog

Simonyan, Vedaldi, and Zisserman, "Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps", ICLR Workshop 2014.

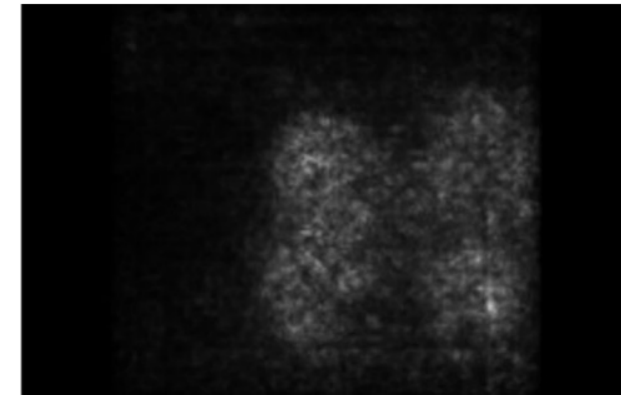
Figures copyright Karen Simonyan, Andrea Vedaldi, and Andrew Zisserman, 2014; reproduced with permission.

Which pixels matter: Saliency via Backprop

Forward pass: Compute probabilities

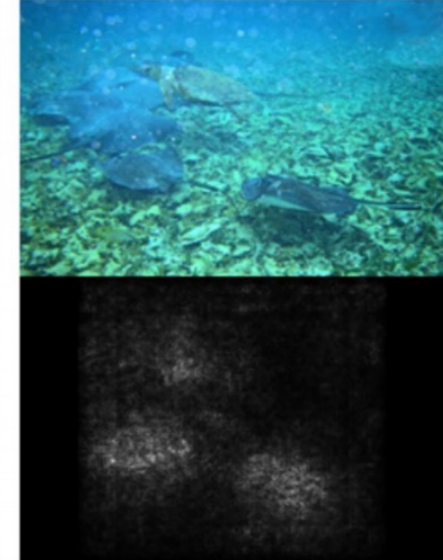
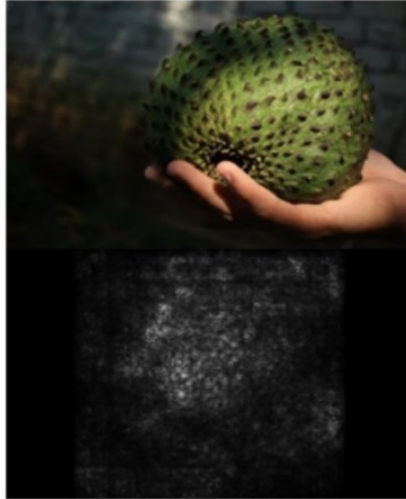
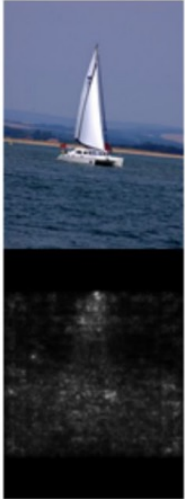


Compute gradient of (unnormalized) class score with respect to image pixels, take absolute value and max over RGB channels



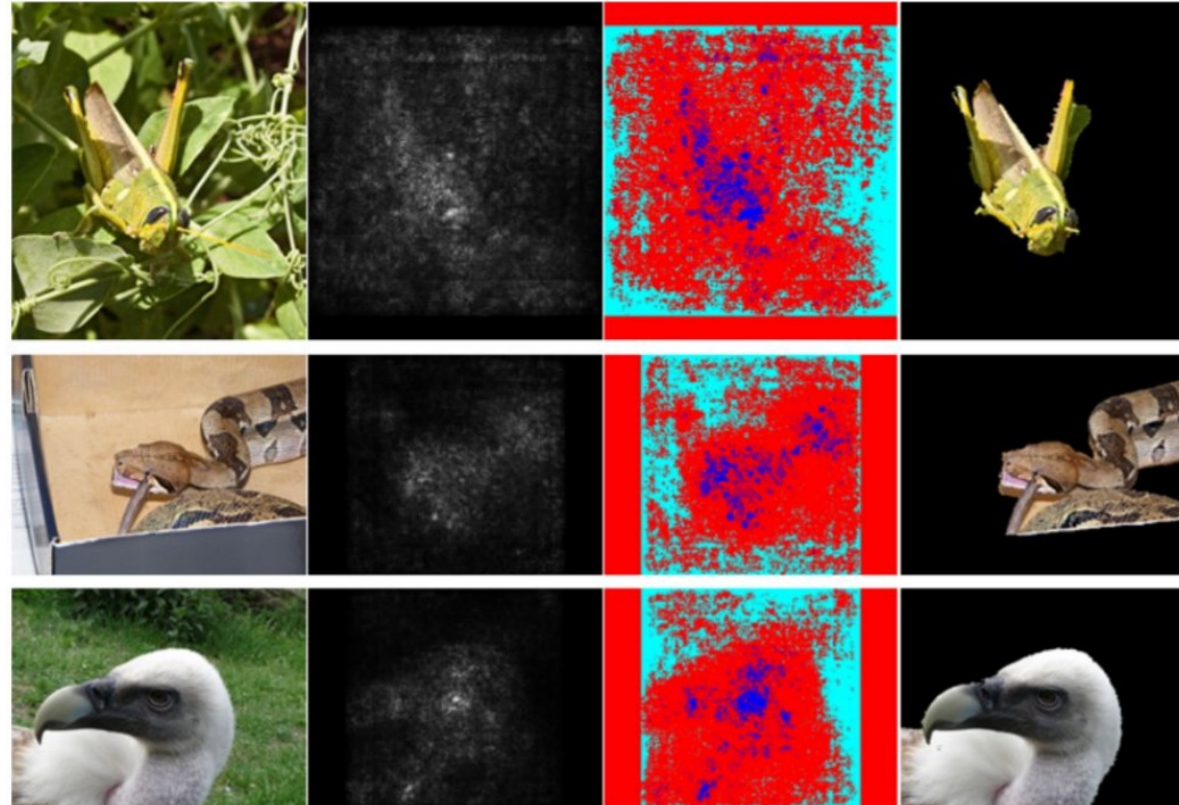
Simonyan, Vedaldi, and Zisserman, "Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps", ICLR Workshop 2014.
 Figures copyright Karen Simonyan, Andrea Vedaldi, and Andrew Zisserman, 2014; reproduced with permission.

Saliency Maps



Simonyan, Vedaldi, and Zisserman, "Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps", ICLR Workshop 2014.
Figures copyright Karen Simonyan, Andrea Vedaldi, and Andrew Zisserman, 2014; reproduced with permission.

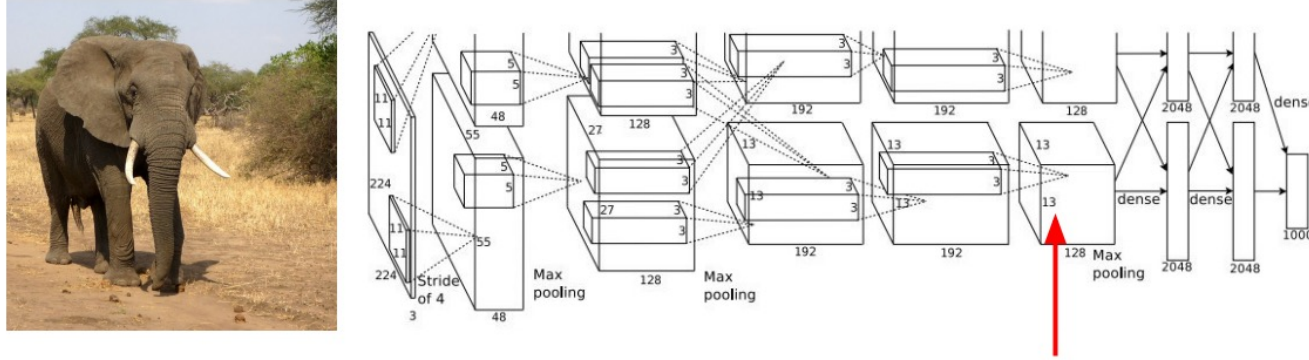
Saliency Maps: Segmentation without supervision



Use GrabCut on saliency map

Simonyan, Vedaldi, and Zisserman, "Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps", ICLR Workshop 2014.
Figures copyright Karen Simonyan, Andrea Vedaldi, and Andrew Zisserman, 2014; reproduced with permission.
Rother et al. "Grabcut: Interactive foreground extraction using iterated graph cuts". ACM TOG 2004

Intermediate Features via (guided) backprop



Pick a single intermediate neuron, e.g. one value in $128 \times 13 \times 13$ conv5 feature map

Compute gradient of neuron value with respect to image pixels

Zeiler and Fergus, "Visualizing and Understanding Convolutional Networks", ECCV 2014
Springenberg et al, "Striving for Simplicity: The All Convolutional Net", ICLR Workshop 2015

Intermediate features via (guided) backprop



Maximally activating patches
(Each row is a different neuron)



Guided Backprop

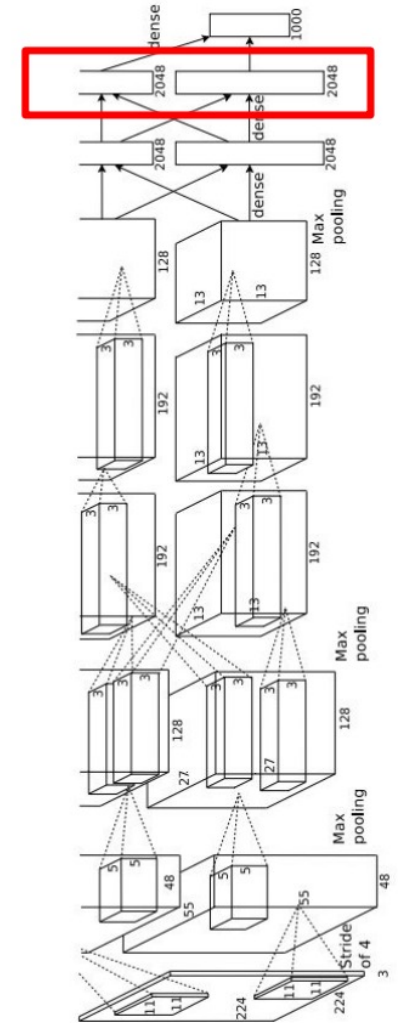
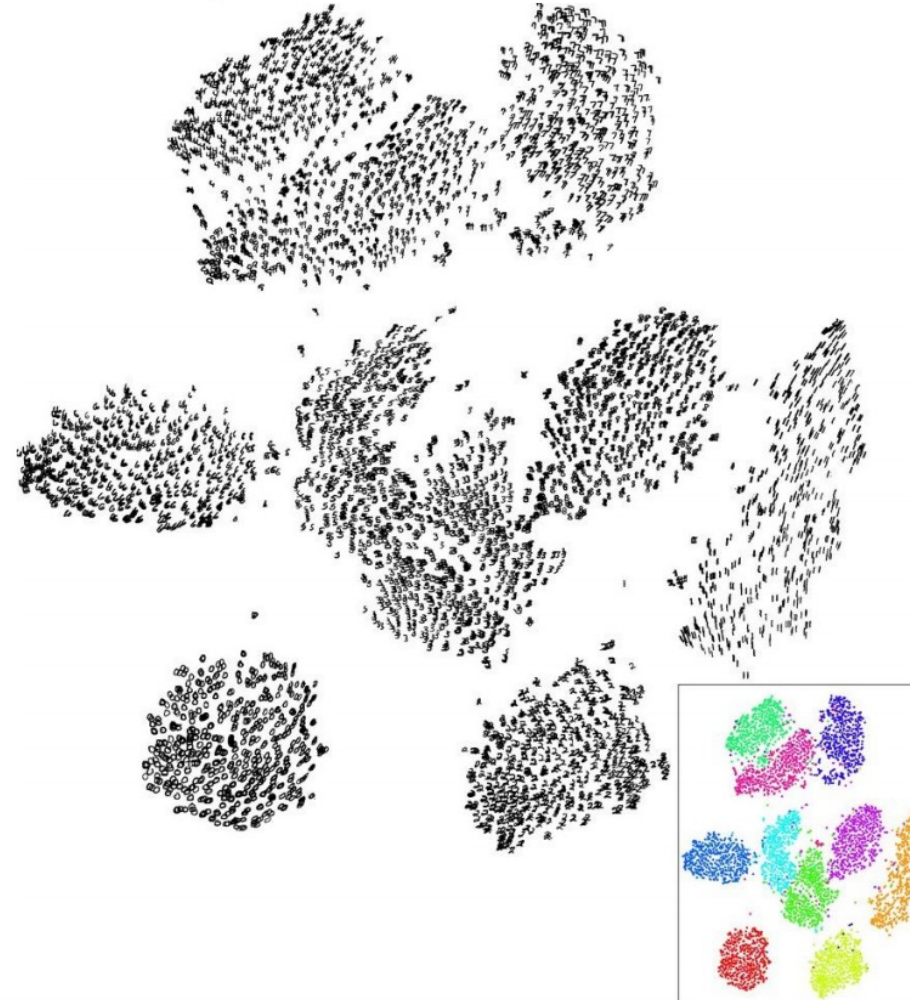
Zeiler and Fergus, "Visualizing and Understanding Convolutional Networks", ECCV 2014
Springenberg et al, "Striving for Simplicity: The All Convolutional Net", ICLR Workshop 2015
Figure copyright Jost Tobias Springenberg, Alexey Dosovitskiy, Thomas Brox, Martin Riedmiller, 2015; reproduced with permission.

Last Layer: Dimensionality Reduction

Visualize the “space” of FC7 feature vectors by reducing dimensionality of vectors from 4096 to 2 dimensions

Simple algorithms:

- K-means clustering
- Principle Component Analysis (PCA)
- More Complex: **t-SNE**

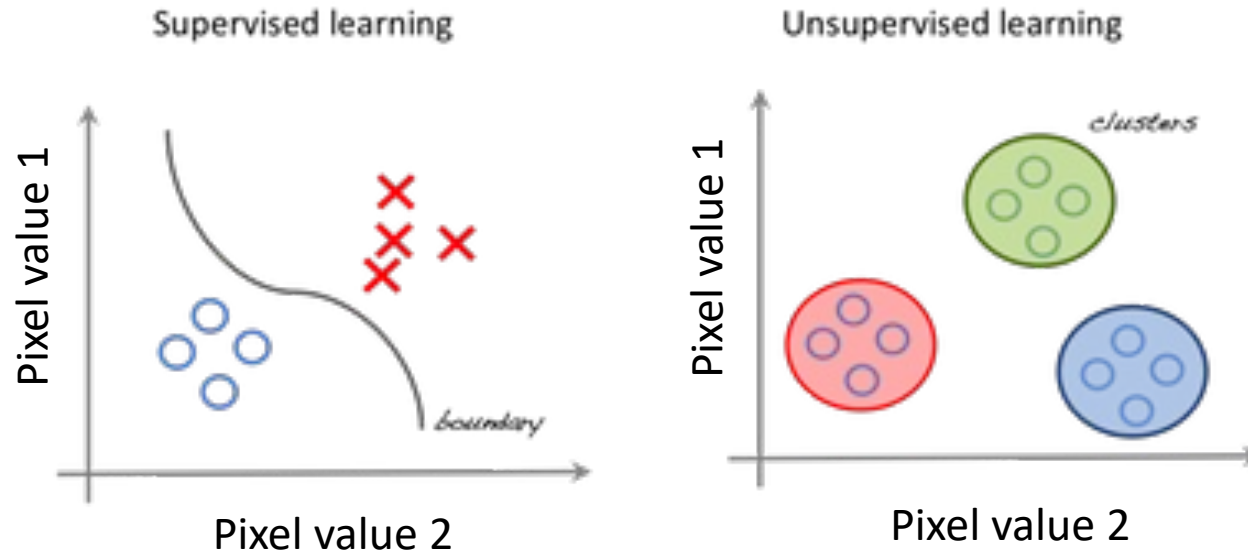


Van der Maaten and Hinton, “Visualizing Data using t-SNE”, JMLR 2008
Figure copyright Laurens van der Maaten and Geoff Hinton, 2008. Reproduced with permission.

Dimensionality reduction is connected to “unsupervised learning”

Definition of Unsupervised Learning:

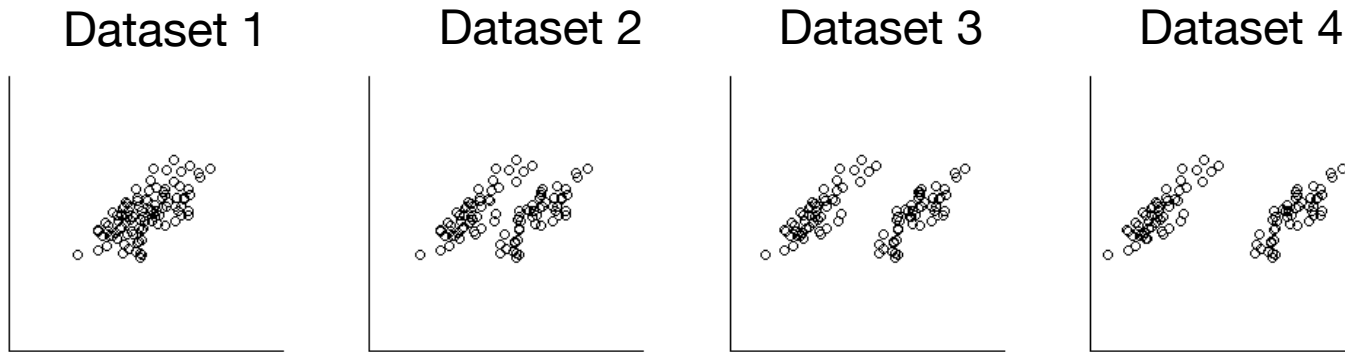
Learning useful structure *without* labeled classes, optimization criterion, feedback signal, or any other information beyond the raw data



Unsupervised learning in a nutshell

Mathematical tools for finding patterns in data:

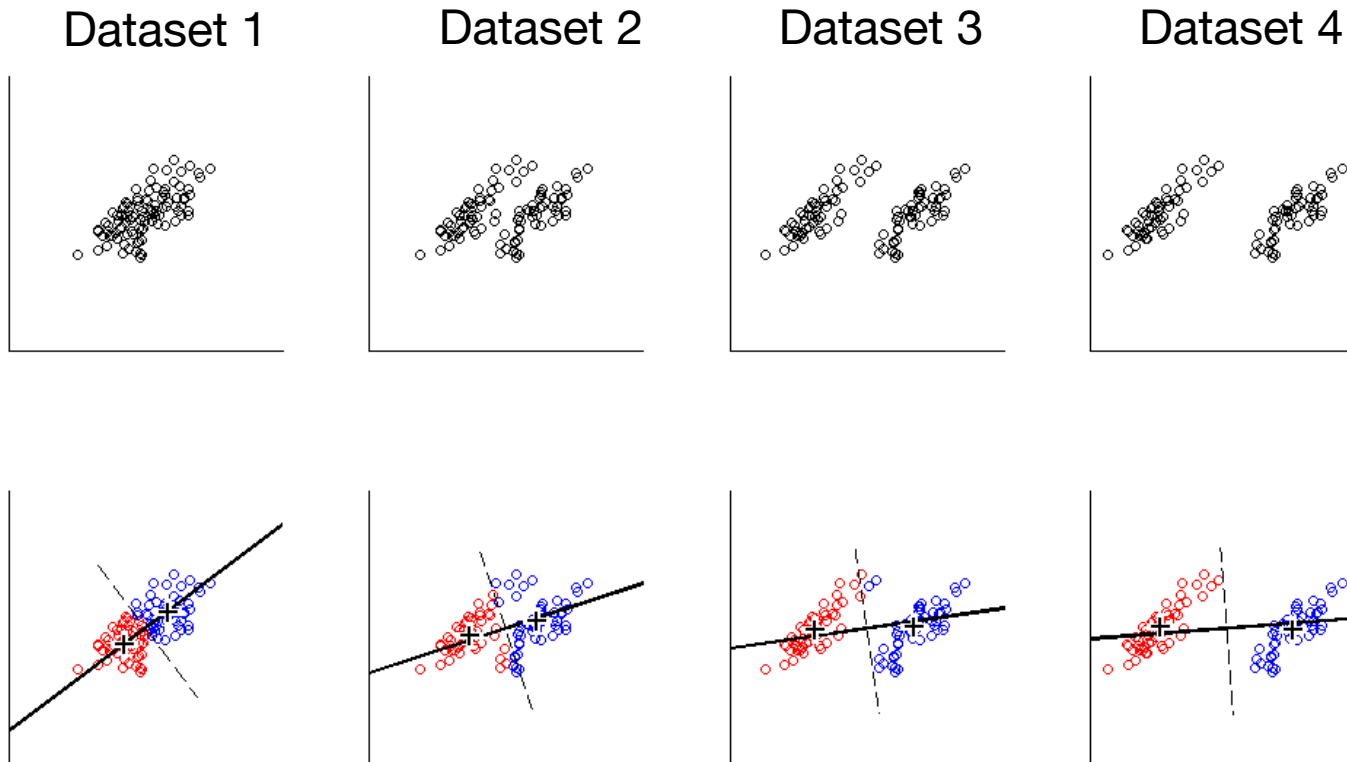
- Eigenvector decomposition
- Principal component analysis
- Singular value decomposition



Unsupervised learning in a nutshell

Mathematical tools for finding patterns in data:

- Eigenvector decomposition
- Principal component analysis
- Singular value decomposition

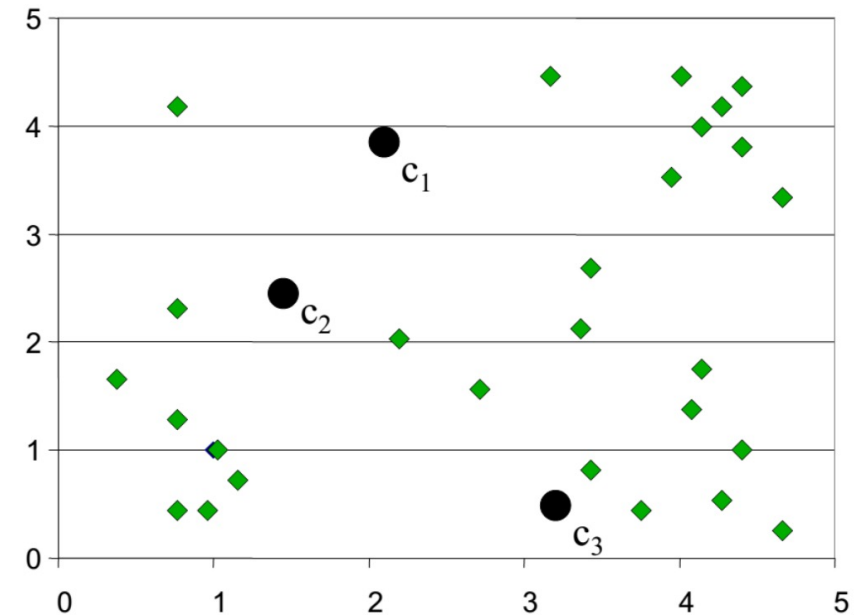


<https://stats.stackexchange.com/questions/183236/wh-what-is-the-relation-between-k-means-clustering-and-pca>

K-Means Clustering

- Given k , the k -means algorithm works as follows:
 1. Choose k (random) data points (**seeds**) to be the initial **centroids**, cluster centers
 2. Assign each data point to the closest **centroid**
 3. Re-compute the **centroids** using the current cluster memberships
 4. If a convergence criterion is not met, repeat steps 2 and 3

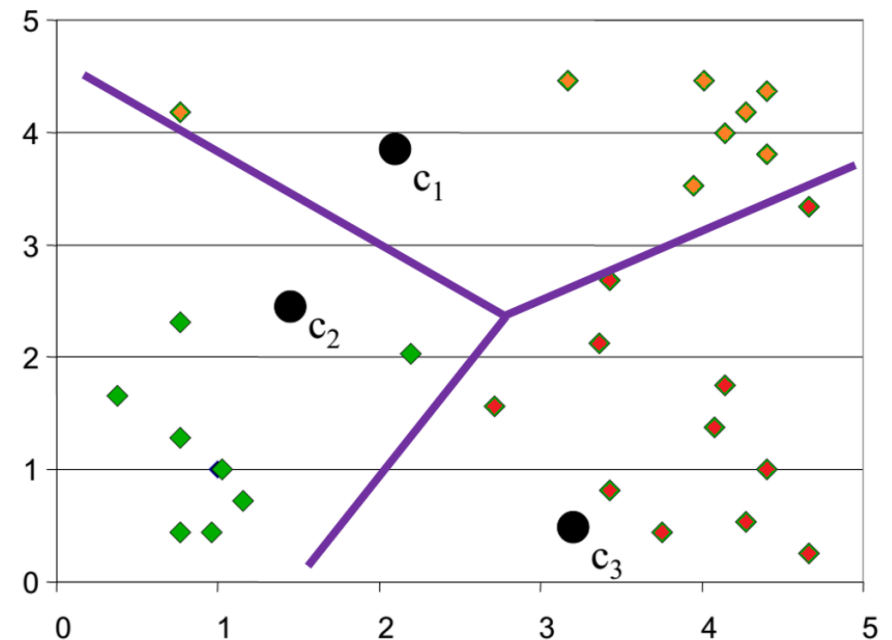
Randomly initialize seeds



K-Means Clustering

- Given k , the k -means algorithm works as follows:
 1. Choose k (random) data points (**seeds**) to be the initial **centroids**, cluster centers
 2. Assign each data point to the closest **centroid**
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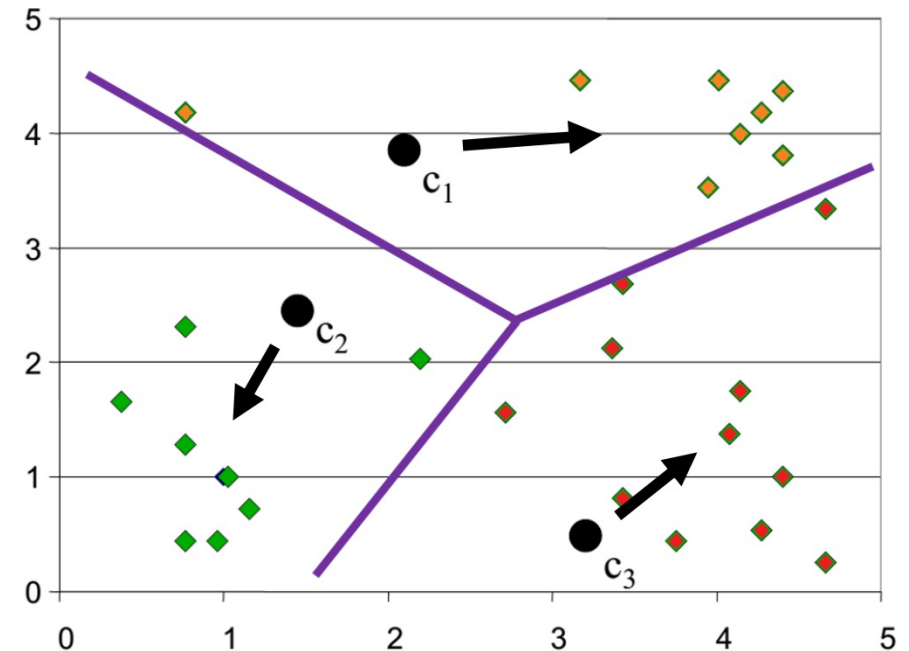
Determine cluster membership for each data point



K-Means Clustering

- Given k , the k -means algorithm works as follows:
 1. Choose k (random) data points (**seeds**) to be the initial **centroids**, cluster centers
 2. Assign each data point to the closest **centroid**
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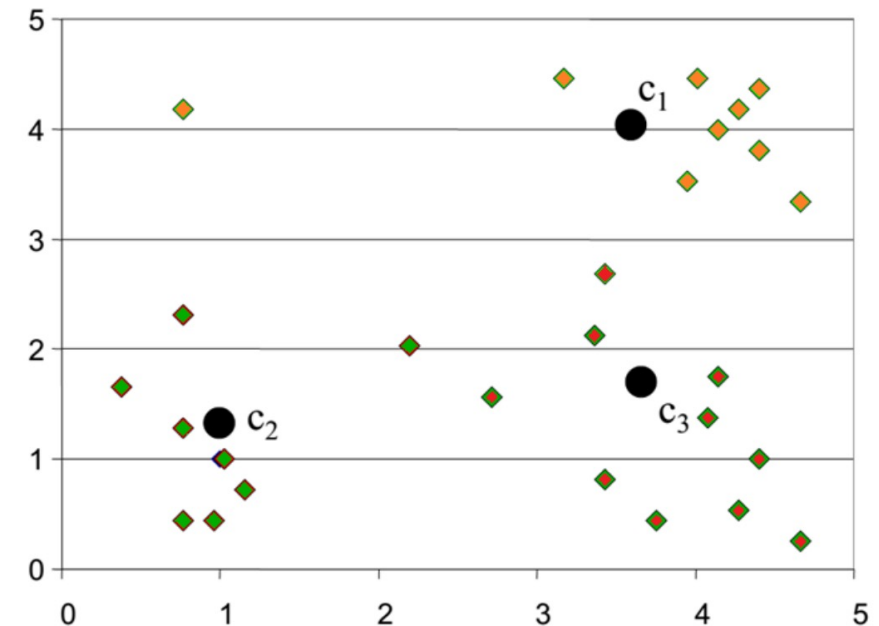
Compute and update new cluster center



K-Means Clustering

- Given k , the k -means algorithm works as follows:
 1. Choose k (random) data points (**seeds**) to be the initial **centroids**, cluster centers
 2. Assign each data point to the closest **centroid**
 3. Re-compute the **centroids** using the current cluster memberships
 4. If a convergence criterion is not met, repeat steps 2 and 3

Result of first iteration



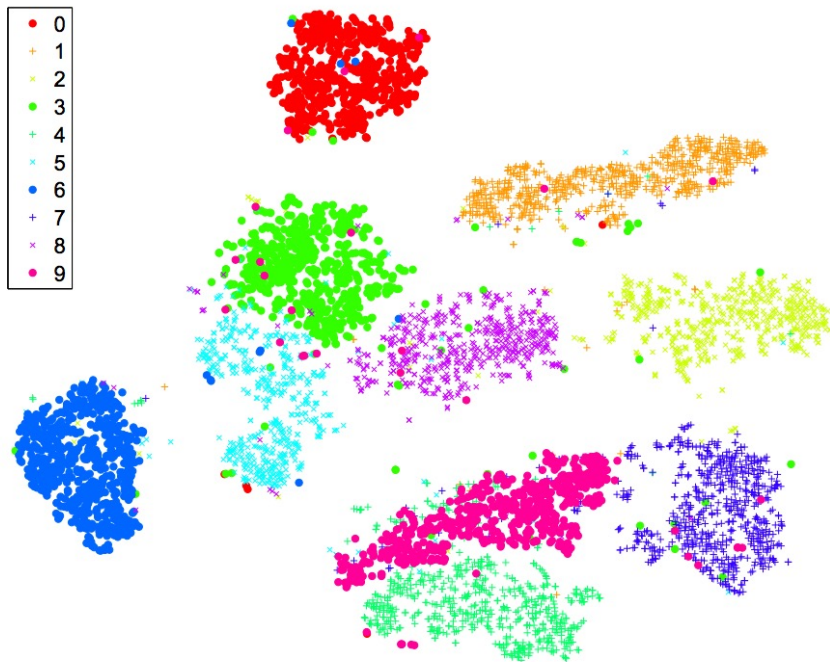
TSNE for data visualization

- Reduce data dimensions to enable visualization in 2D or 3D
 - $nD \rightarrow 2D$ or $3D$
 - Preserve local structure of data to highlight groups
 - Unsupervised – clusters unlabeled data

TSNE for data visualization

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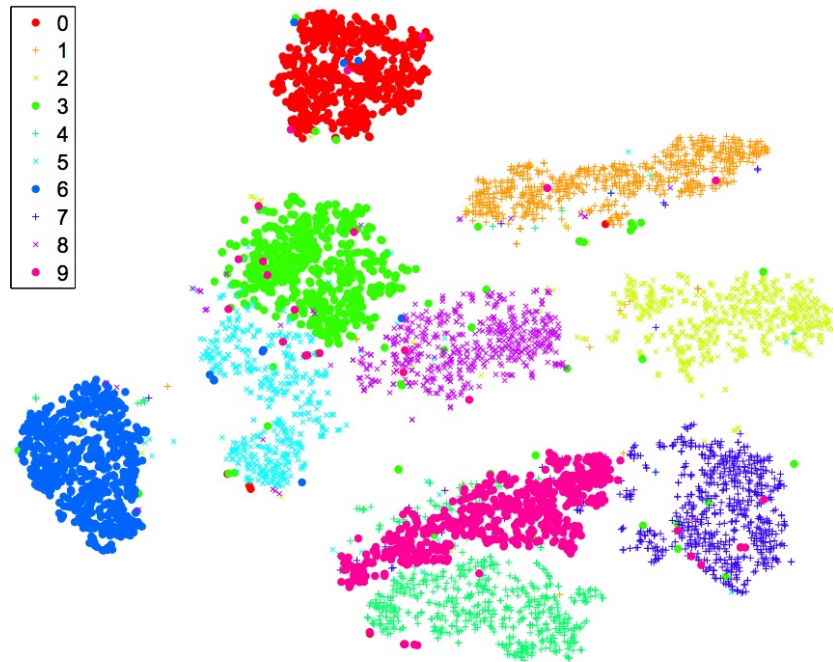
Applied to MNIST digits



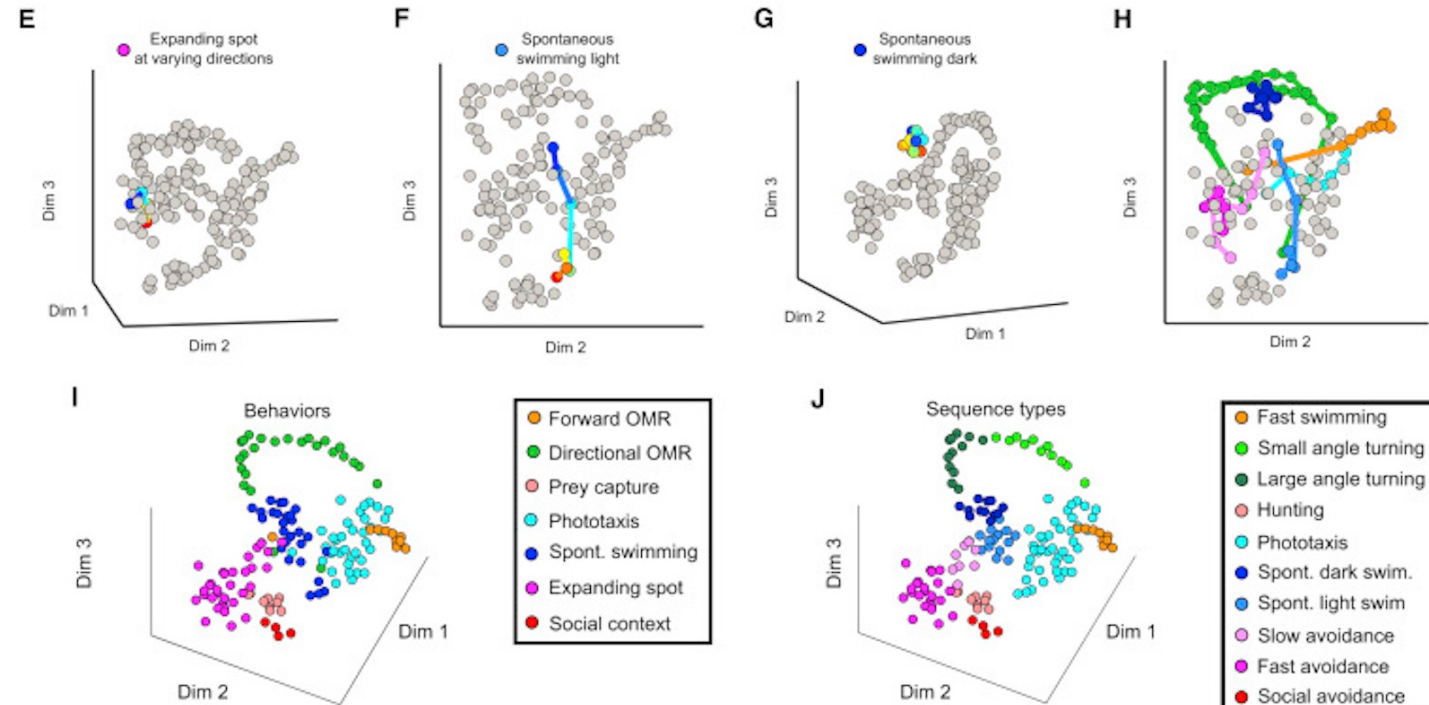
TSNE for data visualization

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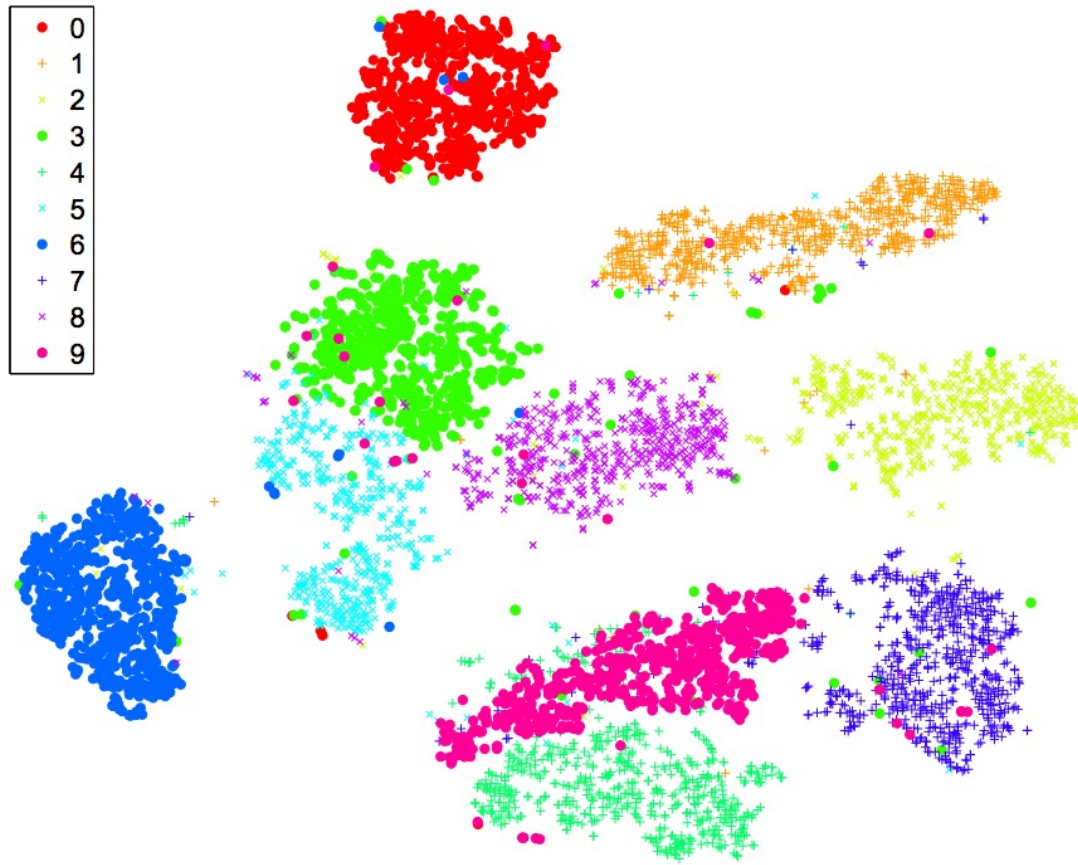
Applied to MNIST digits



Applied to movies of zebrafish behavior

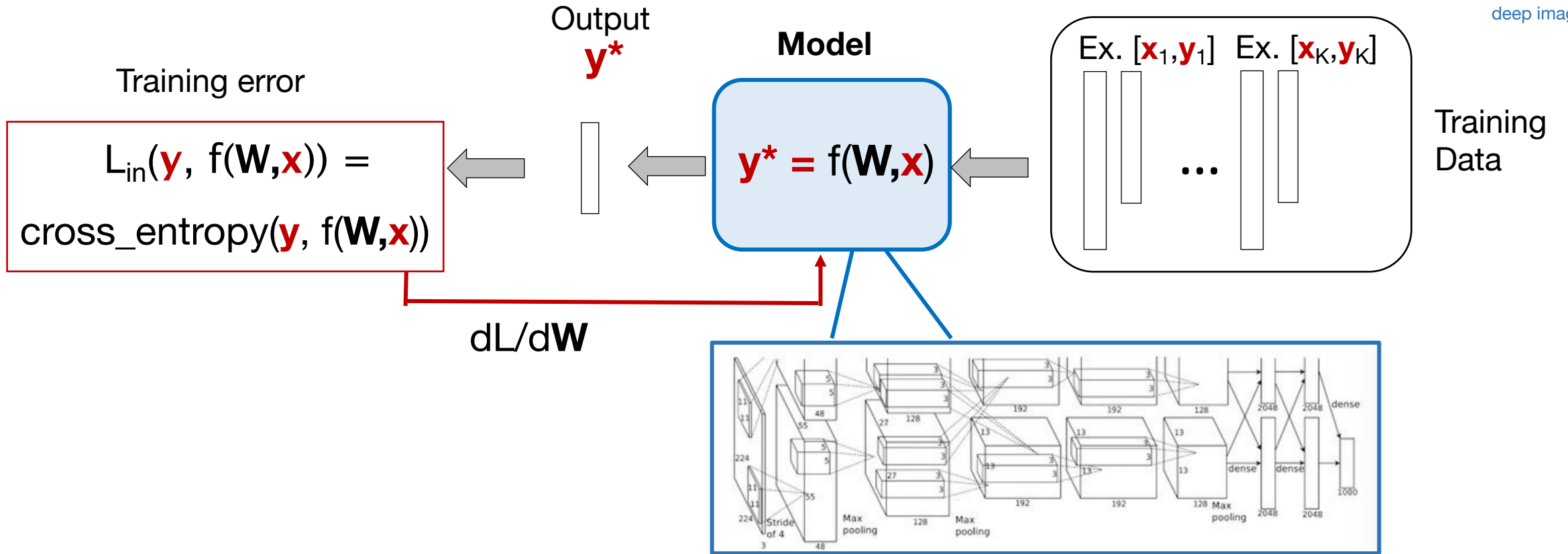


Aside about clustering data – why do we need deep learning at all?



Isn't this good enough?

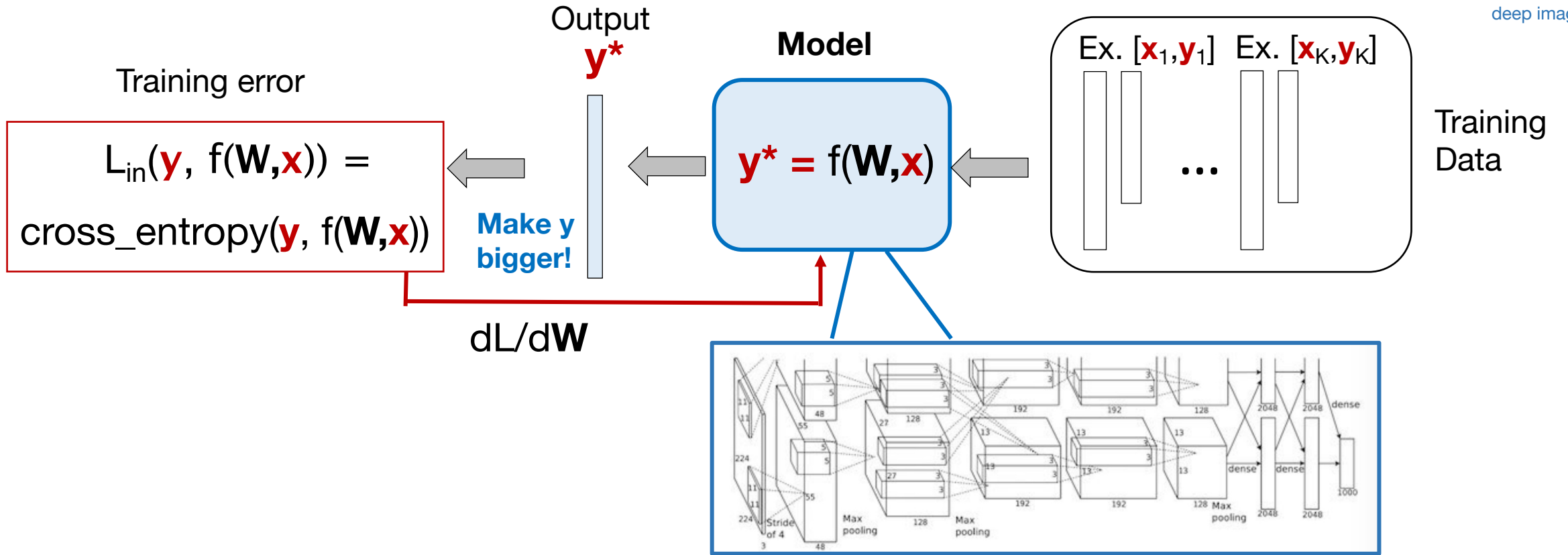
Next step: let's consider other automated tasks
besides image classification!



Dimensional analysis for classification:

Input \mathbf{x} : $\sim \mathbb{R}^{1000}$

Output \mathbf{y}^* : $\sim \mathbb{R}^2 - \mathbb{R}^{10}$



Dimensional analysis for classification:

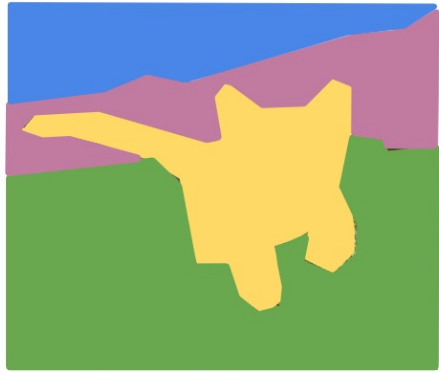
Input \mathbf{x} : $\sim R^{1000}$
 Output \mathbf{y}^* : $\sim R^2 - R^{10}$

This class – let's make \mathbf{y}^* bigger!

- Object detection
- Segmentation
- Creating 3D volumes
- Better resolution

Other Computer Vision Tasks

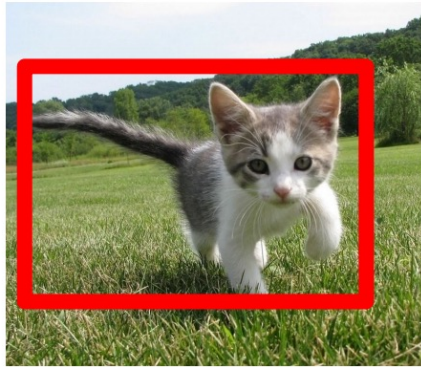
Semantic Segmentation



GRASS, CAT,
TREE, SKY

No objects, just pixels

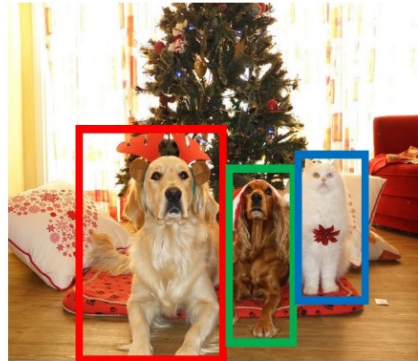
Classification + Localization



CAT

Single Object

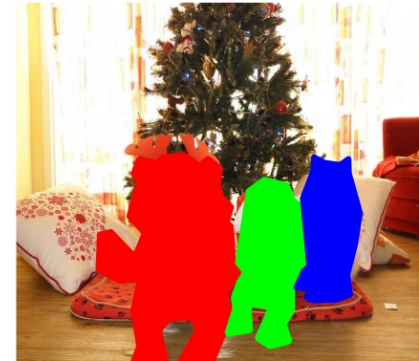
Object Detection



DOG, DOG, CAT

Multiple Object

Instance Segmentation



DOG, DOG, CAT

Super-resolution

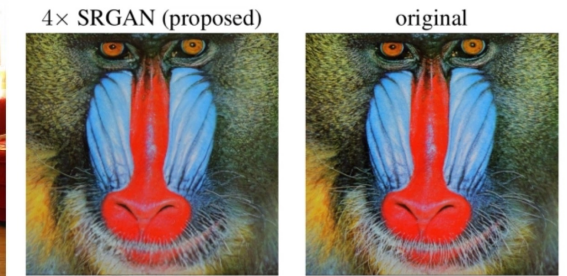


Figure 1: Super-resolved image (left) is almost indistinguishable from original (right). [4x upscaling]

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